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INITIAL KH DATE 8/10/04

Engineering Design File

TAN-607A High Bay Floor Loading Evaluation

Portage Project No.: 2073.00
Project Title: PM-2A Remediation Phase I



TEM-0104
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Rev. 0

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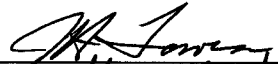

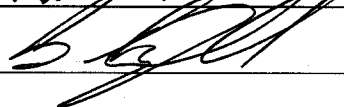
This engineering design file evaluates the floor loading capabilities of the TAN- 607A High Bay to support placement of the PM-2A tanks and associated radiological shielding for treatment of the tank contents prior to disposal at the Idaho Comprehensive Environmental Response, Compensation, and Liability Act disposal facility.

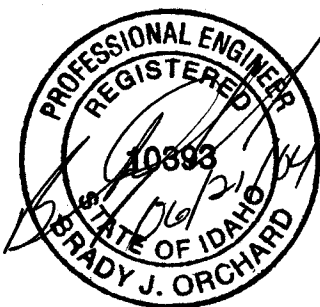
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Jeff A. Towers

7. Review (R) and Approval (A) Signatures:

(Identify minimum reviews and approvals. Additional reviews/approvals may be added.)

	R/A	Printed Name/ Organization	Signature	Date
Author	A	Jeff A. Towers		6-21-04
Independent Review	R	Nathan M. Wheldon, P.E.		6-21-04
Project Manager	R/A	Brady J. Orchard, P.E.		06/21/04



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I. INTRODUCTION AND PURPOSE

This engineering design file (EDF) evaluates the floor loading capabilities of the TAN-607A High Bay for placement of the PM-2A tanks and the necessary radiological shielding to allow continuous occupational occupancy of the High Bay as stated in 10 CFR 835.1002. Shielding requirements for the PM-2A tanks are described in Portage Environmental, Inc. (Portage) EDF, PEI-EDF-1005.

2. BACKGROUND

During Phase 1 remediation of the PM-2A tanks, the tanks will be excavated and transported to the TAN-607A High Bay for storage. Because the tanks contain sludge contaminated with radionuclides, shielding will have to be placed in the TAN-607A High Bay to prevent personnel exposure and allow unrestricted access for normal occupational occupancy while the tanks are in storage. The floor loading from the combination of the tanks, support structures, and associated shielding is expected to be significant. To prevent any potential damage to the High Bay floor, a structural engineering evaluation of the floor loading restrictions was performed by Eclipse Engineering, Inc. (Eclipse), under contract to Portage. The floor loading analyses are included in this EDF as Attachment 1.

3. ANALYSIS RESULTS

Eclipse performed the structural analysis of the TAN-607A High Bay floor based on the original structural drawings provided by Bechtel BWXT Idaho, LLC. In areas of the floor where additional reinforcing was done for specific project requirements since initial construction, no credit was taken for reinforcing that was not documented on as-built drawings. The Eclipse analysis divided the High Bay floor into seven sub-areas with specific floor-loading capacities. These sub-areas are delineated on Portage Drawing P-FFA/CO-PM2A-003 (Attachment 2).

Sub-Area 1 – 500 lb/ft²

Sub-Area 2 – 2,615 lb/ft², except in the assembly pit area, which is limited to 285 lb/ft²

Sub-Area 3 – 500 lb/ft²

Sub-Area 4 – 1,542 lb/ft²

Sub-Area 5 – 1,490 lb/ft²

Sub-Area 6 – 500 lb/ft²

Sub-Area 7 – 500 lb/ft², except the strip supporting the railroad tracks, which can support 1,895 lb/ft².

Eclipse evaluated the assembly pit in Sub-Area 2 and recommended a structural cover that would allow placement of the PM-2A tanks on Sub-Areas 2 and 4 without damaging the

floor. The structural cover consists of tube steel planks (HSS 8 in. wide by 2 in. high by 20 ft long, 0.188-in. wall thickness) placed across the assembly pit area (57 ft 6 in. long by 4 ft wide) to transfer the load to the higher strength areas of Sub-Area 2. The evaluation of the area used a 205,000-lb total load on a six-axle transporter, with concrete shielding installed 12 ft from the planking centerline for personnel exposure protection. The tank transporter tires exerted 6,960 psf on the steel planking and the shielding added 870 psf per lineal foot approximately 1 ft away from the steel planking with the combination resulting in permissible floor loading. The analysis was performed using less axles (six versus 12) on the trailer to ensure adequate strength for the additional weight (approximately 100,000 lb) from anticipated grouting in Phase 2 that the transporter and floor will have to carry safely when the tanks are removed from the TAN-607A High Bay. Details are provided in the assembly pit cover design in Attachment 1.

For areas where the floor-loading capacity is less than the force applied by a point load like a tire, factors such as slab thickness, slab design, and overall floor loading must be examined to determine what point load can be safely applied to the floor. Concrete floors are designed to distribute loads so that an individual point on the floor never actually carries the entire load. As an example, Sub-Area 4 has a floor rating of 1,542 psf, but can safely support movement of a PM-2A tank on the transporter having an axle load of 34,167 psf (205,000-lb load, six axles) because of the floor design and lack of other additional floor loading (details in Attachment 1).

4. CONCLUSIONS

The TAN-607A High Bay floor will require a structural cover over the assembly pit area to safely allow anticipated floor loading from the PM-2A tanks and associated shielding. The floors outside the assembly pit will not require any additional strengthening or modifications to safely support floor loadings from transport and placement of the tanks and associated shielding in the High Bay. Additionally, the floor loadings and cribbing equipment in Sub-Areas 2 and 4 have been checked with the anticipated extra weight (100,000 lb) that grouting may add during Phase 2 activities and determined adequate. In the event that future operations require capacity floor loadings in localized areas of the High Bay, additional structural covers can be utilized to safely disperse the load.

5. REFERENCES

10 CFR 835.1002, 2004, "Facility Design and Modifications," *Code of Federal Regulations*, Office of the Federal Register, January 1, 2004.

PEI-EDF-1005, 2004, "PM-2A Tank Shielding Requirements using MicroShield v. 6.02," Rev. 0, May 2004.

Attachment I

Assembly Pit Cover Design



April 30, 2004

Mr. Jeff Towers
Portage Environmental, Inc.
1075 South Utah, Suite 200
Idaho Falls, ID 83402

Re: Assembly Pit Cover Design
Building TAN 607A, High Bay Assembly Shop
Idaho National Engineering & Environmental Laboratory
Idaho Falls, Idaho

Jeff,

As requested, I have designed the cover for the Assembly Pit of the above noted building. The adjacent floor and foundation is a system of cast-in-place concrete slabs, grade beams and drilled concrete piers. The Assembly Pit, located within the area known as the HIGH BAY ASSEMBLY SHOP, is approximately 57'-6" long x 4'-0" wide. Reference our floor analysis report dated March 11, 2004. Also reference the original structural drawings produced by The Ralph M. Parsons Company, dated 8/3/56.

The owner wishes to store large tanks in the HIGH BAY ASSEMBLY SHOP. The tanks shall be transported into the building by entering through a door on the west side. The transporter will back the tanks along the existing railroad tracks to the east side of the Shop. The tanks will be positioned end-to-end along the tracks from the east side to the west door of the Shop (approx. 3 tanks).

In order to safely move or store the tanks in the Shop, a structural cover shall be constructed over the abandon Assembly Pit. This cover shall be HSS8x2x3/16x20'-0" tube steel planks that span across the 4'-0" width of the pit as shown on the attached Details A and B, sheets 1 and 2, respectively.

The planks shall support the total weight of the tank and the transporter, as well as the saddle & saddle support, which have a total weight of 205,000 lbs. Reference the attached information from 'Duratek', sheet 3. The transporter has 6 axles, so each axle is assumed to support 34,167 lbs. Each 10'-0" axle has 8 wheels (4 on each end of the axle). So each set of 4 wheels supports one-half of the axle load or

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17,083 lbs. The wheels exert 6,960 psf of pressure on the planks, which are adequate to support this pressure (reference the attached calculation on the attached sheet 4).

Regarding the remainder of the concrete floor in the Shop area, although the 6,960 psf of pressure is more than the 1500 psf allowed per my report dated March 11, 2004, the concrete is capable of dispersing the concentrated wheel load. The 6,960 psf wheel load only makes contact with about 10% of the floor at any given instant. And the other 90% of the floor is not loaded at all. So, what becomes important is the effective loaded area.

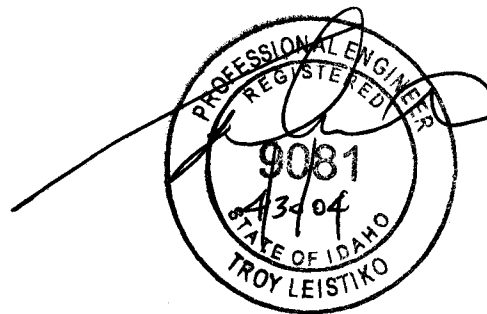
The bending and shear stresses in the concrete floor resulting from the concentrated load will be dispersed through the concrete slab over a width equal to about 8 times the slab thickness. Since the slab is 10-inches thick (minimum), the effective width of the loaded area is either 80-inches or the center-to-center spacing of the axles. Reference the attached calculation, sheet 5, which justifies the concrete floor to support the transporter. The steel plank cover over the Assembly area is not conjoined and therefore can not disperse the load in the same manner as the concrete. Therefore, the planks shall be designed for the full 6,960 psf of load.

Also, the floor is adequate to support concrete shielding block walls located on either side of the tanks. It is my understanding that the shielding blocks are 20-inch thick concrete blocks that are stacked 6'-0" high. Assuming a concrete density of 145 pcf, the load on the concrete floor from the walls would be 870 psf, which is less than the load rating on the floor.

We have designed only the Assembly Pit Cover for the HIGH BAY ASSEMBLY SHOP as described in this letter. With the exception of our floor analysis report dated March 11, 2004, we hold no responsibility for any other element or the integrity of the structure as a whole. Please call with any specific questions.

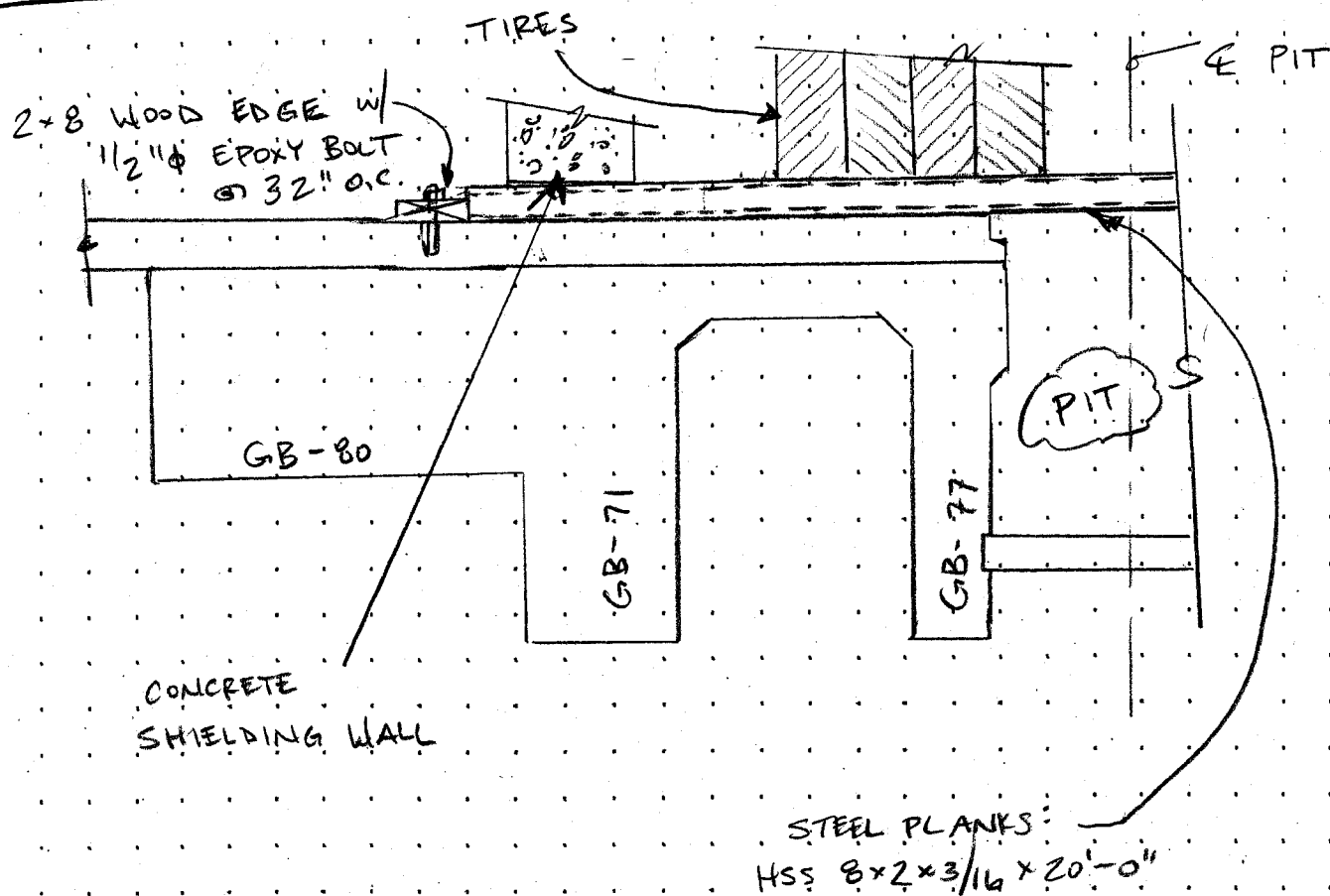
Sincerely,

Eclipse Engineering, Inc.



Troy Leistiko, P.E.
Project Engineer

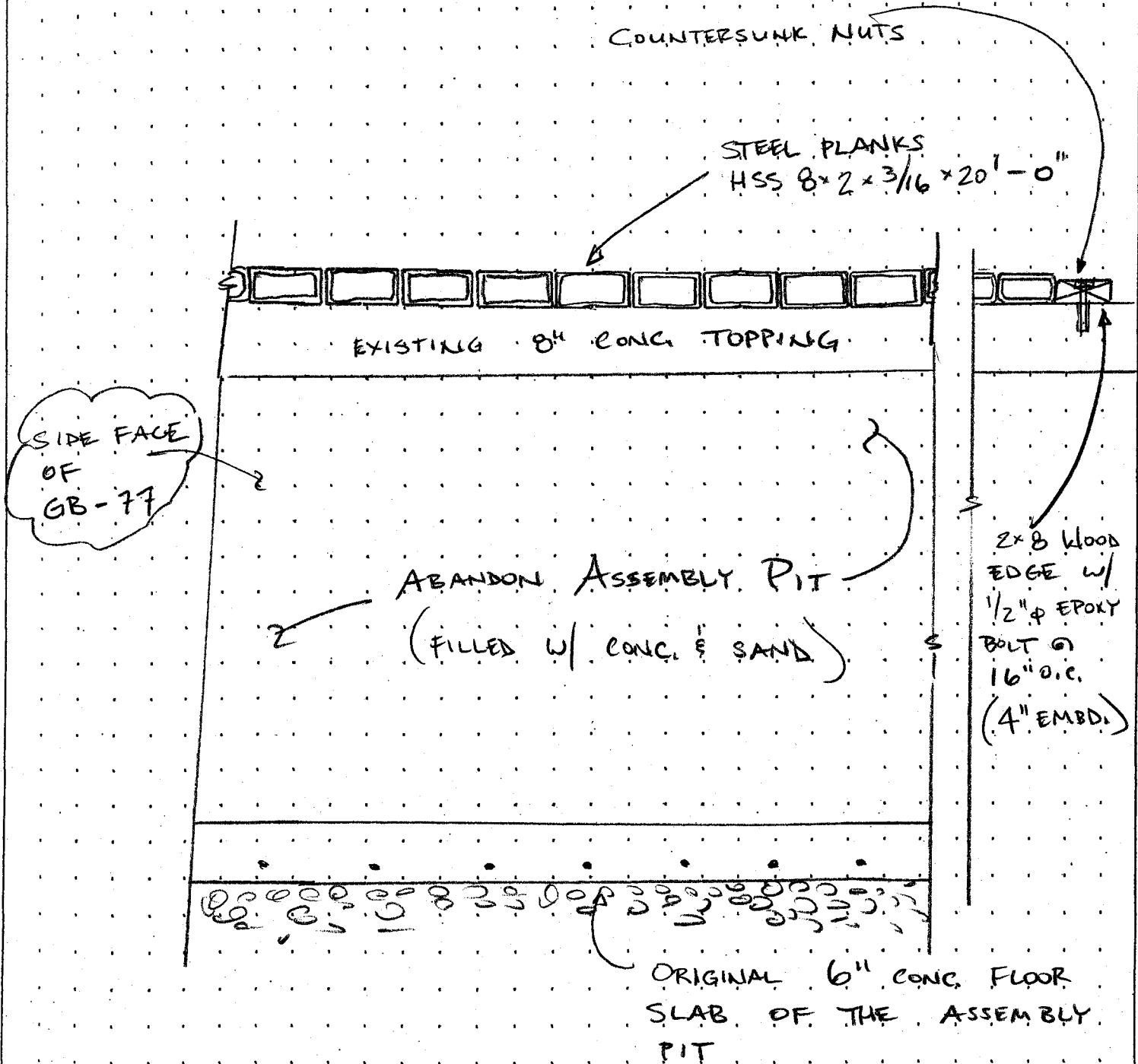
Attachments: Details A and B, 'Duratek' loading information, calculations.



A

PIT SECTION

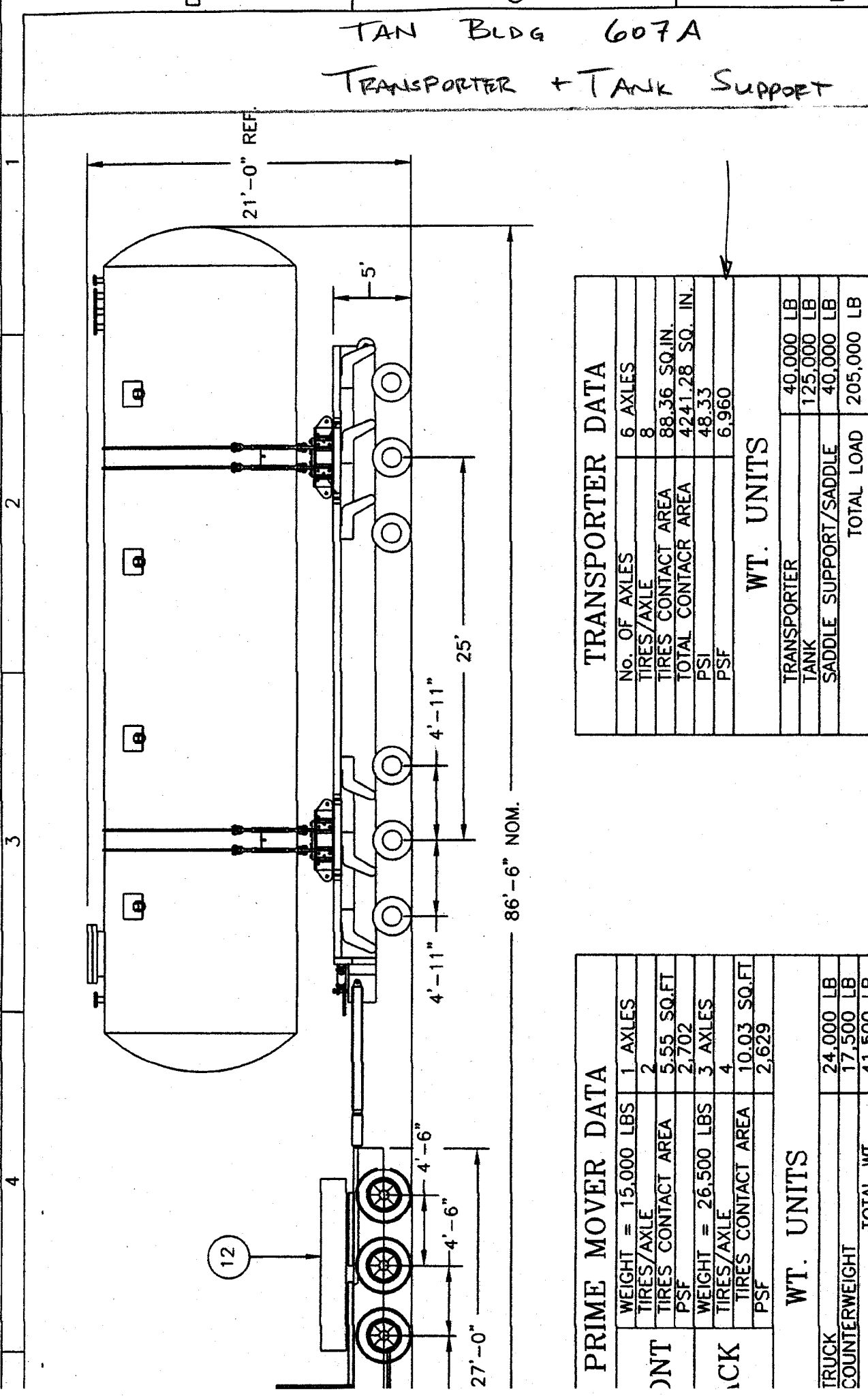
SCALE: 3/8" = 1'-0"



(B)

PIT COVER SECTION

SCALE: 3/4" = 1'-0"



TAN BLDG 607A
TRANSPORTER + TANK SUPPORT

3
5

PRIME MOVER DATA

MOUNT	WEIGHT = 15,000 LBS	1 AXLES
	TIRES/AXLE	2
	TIRES CONTACT AREA	5.55 SQ.FT
	PSF	2,702
TANK	WEIGHT = 26,500 LBS	3 AXLES
	TIRES/AXLE	4
	TIRES CONTACT AREA	10.03 SQ.FT
	PSF	2,629

WT. UNITS

TRUCK	24,000 LB
COUNTERWEIGHT	17,500 LB
TOTAL WT.	41,500 LB

TRANSPORTER DATA

No. OF AXLES	6 AXLES
TIRES/AXLE	8
TIRES CONTACT AREA	88.36 SQ.IN.
TOTAL CONTACT AREA	4241.28 SQ. IN.
PSI	48.33
PSF	6,960

WT. UNITS

TRANSPORTER	40,000 LB
TANK	125,000 LB
SADDLE SUPPORT/SADDLE	40,000 LB
TOTAL LOAD	205,000 LB

☒ PROPRIETARY
☐ NON-PROPRIETARY

FSCM No. 54643

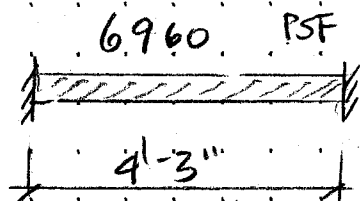
DO NOT SCALE PRINT



Duratek™

3/

PIT COVER



ASSUME A500 TUBE

$$F_y = 46 \text{ KSI}$$

$$F_b = 0.75 F_y$$

$$F_v = 0.40 F_y$$

$$E = 29 \times 10^6 \text{ PSI}$$

ANALYZE / DESIGN w/ ASD

$$V = 14.79 \text{ K/FT}$$

$$M = 10.48 \text{ K' / FT}$$

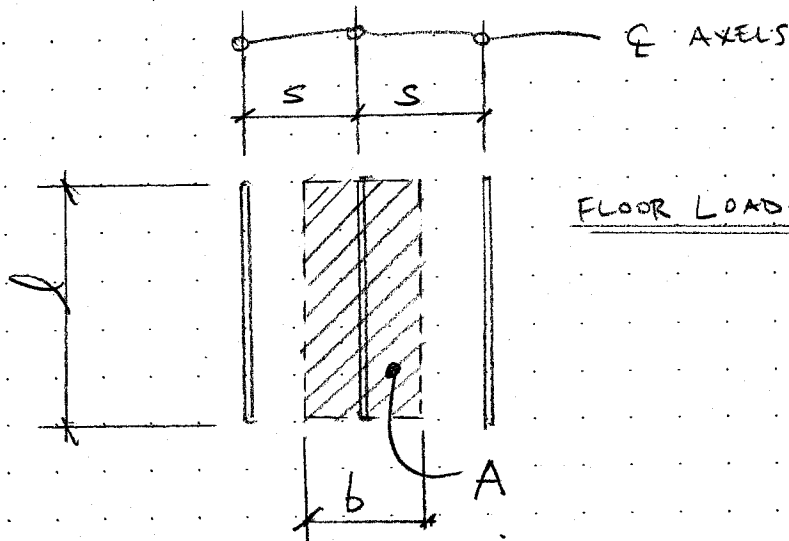
$$A_{\text{WEB, REQUIRED}} = 0.80 \text{ IN}^2 / \text{FT.}$$

$$S_{\text{REQUIRED}} = 3.64 \text{ IN}^3 / \text{FT.}$$

USE HSS 8x2x3/16 PLANKS

$$\left. \begin{aligned} A_{\text{WEB}} &= 1.125 \text{ IN}^2 / \text{FT.} \\ S_y &= 3.78 \text{ IN}^3 / \text{FT.} \\ I_y &= 3.78 \text{ IN}^4 / \text{FT.} \end{aligned} \right\}$$

CHECK DEFLECTION, $\Delta = \frac{w l^4}{384 E I} = 0.093''$, OK L/547



FLOOR LOADING DIAGRAM
No SCALE

l = EFFECTIVE LOADED LENGTH (OUT-TO-OUT DIMENSIONS OF TIRES)

b = EFFECTIVE LOADED WIDTH, THE LESSER OF:
 $8t$ OR S , WHERE...

t = SLAB THICKNESS

S = CENTER-TO-CENTER
SPACING OF AXELS

A = EFFECTIVE LOADED AREA = $l \cdot b$

P = LOAD PER AXEL

w = EFFECTIVE LOAD PER SQUARE FOOT = $\frac{P}{A}$

EXAMPLE

$$P = 205,000 \text{ LB} \div 6 \text{ AXELS} = 34,167 \text{ LB.}$$

$$l = 10'-0", \quad b = 4'-11" \longrightarrow A = 49.17 \text{ FT.}^2$$

$$w = 695 \text{ PSF} > 1500 \text{ PSF} \quad \underline{\text{OK}}$$

(END OF EXAMPLE)



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To:	Jeff Towers Portage Environmental – Idaho Falls	From:	Troy Leistko
Fax:	(208) 523-8860	Pages:	10 (including this cover)
Phone:	(208) 227-1393 – Direct Line to Jeff T.	Date:	5/12/04
Re:	TAN Bldg. 607A – Assembly Pit Cover	CC:	none

☐ Urgent ☒ For Review ☐ Please Comment ☐ Please Reply ☒ Please Recycle

• **Comments:**

Jeff,

Attached is my letter providing proof that the existing slab, when supporting a point load, shall be analyzed as a strip that is up to 8 times the slab thickness.

Please call with any questions.

Best Regards,

Troy



May 11, 2004

Mr. Jeff Towers
Portage Environmental, Inc.
1075 South Utah, Suite 200
Idaho Falls, ID 83402

Re: Assembly Pit Cover Design
Building TAN 607A, High Bay Assembly Shop
Idaho National Engineering & Environmental Laboratory
Idaho Falls, Idaho

Jeff,

As requested, this letter serves as a response to your request that we provide some sort of background or research to our assumption that the bending and shear stresses in the concrete floor resulting from the concentrated load will be dispersed through the concrete slab over a width equal to about 8 times the slab thickness. Reference our design letter dated April 30, 2004.

I have attached further calculations and excerpts from three references that I feel will convince you and the owner that our design assumptions are conservative.

Please call with any specific questions.

Sincerely,

Eclipse Engineering, Inc.



Troy Leistikow, P.E.
Project Engineer

Attachments: excerpts from ACI-318, Design of Concrete Structures (Nilson), and Reinforced Concrete Fundamentals (Ferguson, Breen, Jr.)

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TAN BLDG 607A

TRANSPORTER + TANK SUPPORT

DATE: 5/11/04

DESIGN BY:
TROY

- FROM ACI 318 8.10.2,
EFFECTIVE FLANGE THICKNESS FOR T-BEAMS
= 8 TIMES THE SLAB THICKNESS.

- FROM ARTHUR H. NILSON,

$$P = 2\pi (M + M')$$

$$\phi P_n = 2\pi \left(8.69 \frac{\text{K}}{\text{FT.}} + 8.69 \frac{\text{K}}{\text{FT.}} \right) = \underline{109.2 \text{ K}}$$

$$109.2 \text{ K} \gg 17.1 \text{ K} \left(\frac{1}{2} \text{ ASSUMED AXLE LOAD} \right)$$

- FROM JOHANSEN,

$$\text{EFFECTIVE WIDTH} = 2 \times \text{SPAN} \times \sqrt{\mu}$$

WHERE μ = RATIO OF PERPENDICULAR TOP STEEL
TO LONGITUDINAL BOTTOM STEEL

$$\text{SPAN} = 5' - 7\frac{1}{4}" \quad \left(\text{SECTION B/S115 OF PARSONS DRUGS.} \right)$$

$$\mu = 0.44 = \frac{0.233 \text{ IN.}^2/\text{FT.} \left(\#5 @ 16" \right)}{0.528 \text{ IN.}^2/\text{FT.} \left(\#6 @ 10" \right)}$$

$$\therefore \text{EFFECTIVE WIDTH} = 2 \times 5.60' \times \sqrt{0.44} = 7.43 \text{ FEET}$$

OR 8.92 x SLAB THICKNESS
WHICH EXCEEDS OUR ASSUMPTIONS

318/318R-86

CHAPTER 8

CODE

8.10 — T-beam construction

8.10.1 — In T-beam construction, the flange and web shall be built integrally or otherwise effectively bonded together.

8.10.2 — Width of slab effective as a T-beam flange shall not exceed one-quarter of the span length of the beam, and the effective overhanging flange width on each side of the web shall not exceed:

(a) eight times the slab thickness;

(b) one-half the clear distance to the next web.

8.10.3 — For beams with a slab on one side only, the effective overhanging flange width shall not exceed:

(a) one-twelfth the span length of the beam;

(b) six times the slab thickness;

(c) one-half the clear distance to the next web.

8.10.4 — Isolated beams, in which the T-shape is used to provide a flange for additional compression area, shall have a flange thickness not less than one-half the width of web and an effective flange width not more than four times the width of web.

8.10.5 — Where primary flexural reinforcement in a slab that is considered as a T-beam flange (excluding joist construction) is parallel to the beam, reinforcement perpendicular to the beam shall be provided in the top of the slab in accordance with the following:

8.10.5.1 — Transverse reinforcement shall be designed to carry the factored load on the overhanging slab width assumed to act as a cantilever. For isolated beams, the full width of overhanging flange shall be considered. For other T-beams, only the effective overhanging slab width need be considered.

8.10.5.2 — Transverse reinforcement shall be spaced not farther apart than five times the slab thickness, nor farther apart than 18 in.

8.11 — Joist construction

8.11.1 — Joist construction consists of a monolithic combination of regularly spaced ribs and a top slab arranged to span in one direction or two orthogonal directions.

8.11.2 — Ribs shall be not less than 4 in. in width, and shall have a depth of not more than 3-1/2 times the minimum width of rib.

COMMENTARY

R8.10 — T-beam construction

This section contains provisions identical to those of previous codes for limiting dimensions related to stiffness and flexural calculations. Special provisions related to T-beams and other flanged members are stated in 11.6.1 with regard to torsion.

R8.11 — Joist construction

The size and spacing limitations for concrete joist construction meeting the limitations of 8.11.1 through 8.11.3 are based on successful performance in the past.

DESIGN OF CONCRETE STRUCTURES

Twelfth Edition

Arthur H. Nilson

*Professor Emeritus
Structural Engineering
Cornell University*

With contributions by

David Darwin

*Professor of Civil Engineering
University of Kansas*

 **WCB
McGraw-Hill**

Boston, Massachusetts Burr Ridge, Illinois Dubuque, Iowa
Madison, Wisconsin New York, New York San Francisco, California St. Louis, Missouri



FIGURE 14.16
Development of corner levers in a simply supported, uniformly loaded slab.

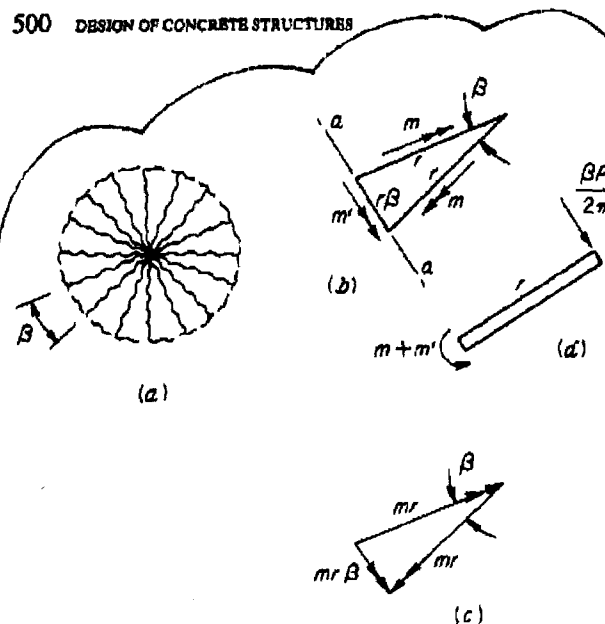
considerably more complicated if the possibility of corner levers is introduced, and the error made by neglecting them is usually small.

To illustrate, the uniformly loaded square slab of Example 14.2, when analyzed for the assumed yield pattern of Fig. 14.7, required an ultimate moment capacity of $wL^2/24$. The actual yield line pattern at failure is probably as shown in Fig. 14.14b. Since two additional parameters m and n have necessarily been introduced to define the yield line pattern, a total of three equations of equilibrium is now necessary. These equations are obtained by summing moments and vertical forces on the segments of the slab. Such an analysis results in a required resisting moment of $wL^2/22$, an increase of about 9 percent compared with the results of an analysis neglecting corner levers. The influence of such corner effects may be considerably larger when the corner angle is less than 90° .

14.8 FAN PATTERNS AT CONCENTRATED LOADS

If a concentrated load acts on a reinforced concrete slab at an interior location, away from any edge or corner, a negative yield line will form in a more-or-less circular pattern, as in Fig. 14.16a, with positive yield lines radiating outward from the load point. If the positive resisting moment per unit length is m and the negative resisting moment m' , the moments per unit length acting along the edges of a single element of the fan, having a central angle β and radius r , are as shown in Fig. 14.16b. For small values of the angle β , the arc along the negative yield line can be represented as a straight line of length $r\beta$.

500 DESIGN OF CONCRETE STRUCTURES

**FIGURE 14.16**

Yield fan geometry at concentrated load: (a) yield fan; (b) moment vectors acting on fan segment; (c) resultant of positive moment vectors; (d) edge view of fan segment.

Figure 14.16c shows the moment resultant obtained by vector addition of the positive moments mr acting along the radial edges of the fan segment. The vector sum is equal to $mr\beta$, acting along the length $r\beta$, and the resultant positive moment, per unit length, is therefore m . This acts in the same direction as the negative moment m' , as shown in Fig. 14.16d. Figure 14.16d also shows the fractional part of the total load P that acts on the fan segment.

Taking moments about the axis $a - a$ gives

$$(m + m')r\beta - \frac{\beta Pr}{2\pi} = 0$$

from which

$$P = 2\pi(m + m') \quad (14.4)$$

The collapse load P is seen to be independent of the fan radius r . With only a concentrated load acting, a complete fan of any radius could form with no change in collapse load.

It follows that Eq. (14.4) also gives the collapse load for a fixed-edge slab of any shape, carrying only a concentrated load P . The only necessary condition is that the boundary must be capable of a restraining moment equal to m' at all points.

Other load cases of practical interest, including a concentrated load near or at a free edge, and a concentrated corner load, are treated in Ref. 14.5. Loads distributed over small areas and load combinations are discussed in Ref. 14.12.

REINFORCED CONCRETE FUNDAMENTALS

FIFTH EDITION

PHIL M. FERGUSON

THE LATE T. U. TAYLOR PROFESSOR EMERITUS OF CIVIL ENGINEERING
THE UNIVERSITY OF TEXAS AT AUSTIN

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THE NASSER I. AL-RASHID CHAIR IN CIVIL ENGINEERING
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THE PHIL M. FERGUSON PROFESSOR OF CIVIL ENGINEERING
THE UNIVERSITY OF TEXAS AT AUSTIN



WILEY

JOHN WILEY & SONS

NEW YORK

CHICHESTER

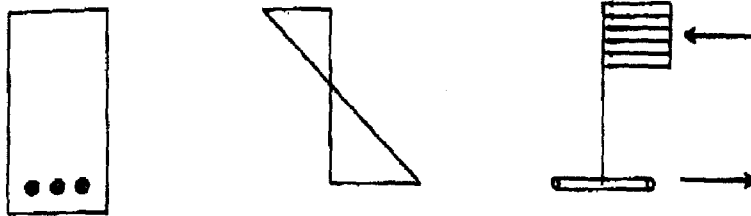
BRISBANE

TORONTO

SINGAPORE

7

DISTRIBUTION OF CONCENTRATED LOADS AND OTHER SPECIAL PROBLEMS



17.1 Concrete Structures Distribute Concentrated Loads

The ordinary reinforced concrete structure is either monolithic or is tied together to act as a unit. Although parallel members of the structure may be analyzed somewhat independently of each other under uniform live loads, the entire structure is actually a three-dimensional frame. When moving concentrated loads are considered, their spacing and their number suggest that all parallel slab strips and all neighboring beams are not equally loaded. The interaction of the several slab strips and beams is usually such as to make the effective slab loading less severe than if each set of loads acted separately on the individual members.

When a heavy wheel rolls over a plank floor, each plank in turn must support the total load. In contrast, when a wheel moves over a concrete slab the wheel deflects the slab locally into a saucerlike pattern and this depression moves with the wheel across or along the slab. Thus a slab strip is deflected (and must be loaded) without a wheel actually resting on it. As the wheel passes over a particular strip the deflection increases, but the single 1-ft strip of slab never carries the entire wheel load unassisted. The designer describes this by saying the wheel load in Fig. 17.1a is distributed over an effective width E (Fig. 17.1b), that is, the moment on the most heavily loaded 1-ft strip is produced by $1/E$ parts of the total load, as in Fig. 17.1c. Likewise, closely spaced beams share in carrying concentrated loads when the beams are connected by stiff floor slabs or stiff diaphragms.

The result of a theoretical study of how a single wheel load is carried by a simple girder highway span is shown in Fig. 17.2. The load is applied to mid-span, directly over beam B , and the assumed girder stiffness is five times that of the slab for a width equal to the girder span. Girder B then deflects more than its neighbors A and C . The slab (attached to the beams) is pulled down by beam B , but it resists this movement and exerts upward forces on the beam, as shown

attempt to demonstrate how load distribution factors are established nor to calculate them for the many possible conditions. Rather its objective is to call attention to the problem of load distribution and illustrate how it can be handled in a few typical cases.

7.2 Load Distribution in a Concrete Slab

Load distribution in a slab is approached on two different bases: (1) the service load or deflection basis and (2) the ultimate strength or yield line basis. The distribution at service loads is the one more commonly considered. For a wide slab with a 10-ft simple span, the effective width thus determined for a simple load is between 6 and 8 ft, depending somewhat on the size of the load contact area and the particular algebraic formula² used. For comparison, Johansen has shown³ that at ultimate load, the effective width is twice the span multiplied by $\sqrt{\mu}$, where μ is the ratio of the perpendicular top steel to the longitudinal bottom steel. If μ is about 1/3, the effective width is $2 \times 10 \sqrt{0.33} = 11.5$ ft.

One complication that may make calculations at ultimate strength uncertain is the shear capacity of the slab around the load. Richart and Kluge⁴ found shear failures occurring from diagonal tension, with a truncated cone of concrete punched out below the load. When those shear stresses were calculated on a surface at a distance d beyond the load, the unit shear stress was low, in one series from 0.044 f'_c to 0.057 f'_c . Because the shear failures came at loads 50% greater than those producing local yielding of the steel, the low shear stresses were not considered serious. For a yield line analysis shear stresses around the load might be more significant.

It appears that the distribution based on elastic conditions, as commonly used, is on the safe side. Its use also tends to reduce crack size at working loads. For elastic conditions, Westergaard⁵ established an extreme value of maximum positive moment on a slab as $0.315P$ for any simple span when P is distributed over a circular area with the diameter equal to $\frac{1}{4}$ of the span, the slab thickness is $\frac{1}{4}$ of the span, and Poisson's ratio is 0.15. (This local moment is quite sensitive to the size of the bearing area.) The corresponding transverse moment is $0.248P$. Jensen⁶ extended these results to show the effect of a rigid beam support at right angles, that is, an effect similar to that in a two-way slab. At this crossbeam the maximum negative moment is $-P/2\pi = -0.159P$ and it occurs with the wheel quite close to the beam.

When closely spaced multiple wheels occurs, an extra slab width acts, but the effective width per wheel is reduced. The AASHTO *Standard Specifications for Highway Bridges*⁷ specify such an effective width E for a slab carrying a single wheel (traveling in the direction of the span) that the resultant design is safe for multiple wheels without further calculations. Special transverse distribution steel is also specified as a percentage of the positive moment steel, in the amount of $100/\sqrt{S}$ but not over 50%, where S is the span in feet.* When the

* The AASHTO notations S and E are retained in this chapter.



March 11, 2004

Mr. Brady Orchard
Portage Environmental
591 Park Avenue, Suite 201
Idaho Falls, ID 83402

Re: Concrete Floor Analysis
Building TAN 607A, High Bay Assembly Shop
Idaho National Engineering & Environmental Laboratory
Idaho Falls, Idaho

Brady,

As requested, I have analyzed the concrete floor of the above noted building and I have determined its superimposed live load capacity. We have not analyzed the floor of the entire structure, but only the portion described in this letter.

The floor and foundation area bound by grid lines 1 to the west, 8 to the east, N to the north and P to the south is a system of cast-in-place concrete slabs, grade beams and drilled concrete piers. This area, also known as the HIGH BAY ASSEMBLY SHOP, is approximately 58'-0" x 147'-0" as shown on the attached PARTIAL FOUNDATION & FIRST FLOOR PLAN. Also reference the original structural drawings produced by The Ralph M. Parsons Company, dated 8/3/56.

Within the area described above, there are several different sub-areas where the configuration of the slab, grade beams and drilled piers vary as follows (also reference the attached KEY PLAN):

- Sub-area 1:** Defined roughly as between grids N and N.2, 1 and 8. This sub-area is an 8-inch thick slab-on-grade.
- Sub-area 2:** Defined roughly as between grids N.2 and N.6, 1 and 4. This sub-area is a system of slabs, grade beams and drilled piers. Contained within this sub-area is the ASSEMBLY PIT.
- Sub-area 3:** Defined roughly as between grids N.6 and P, 1 and 5. This sub-area is an 8-inch thick slab-on-grade.

235 North 1st St. West, 2nd Floor
Missoula, Montana 59802
Phone: (406) 721-5733
Fax: (406) 721-4988
www.eclipse-engineering.com

- Sub-area 4:** Defined roughly as between grids N.2 and N.6, 4 and 7.8. This sub-area is a system of slabs, grade beams and drilled piers
- Sub-area 5:** Defined roughly as between grids N.6 and P, 5 and 7. This sub-area is an 8-inch thick slab-on-grade supplemented with drilled piers. Contained within this sub-area is the BED PLATE.
- Sub-area 6:** Defined roughly as between grids N.2 and N.6, 7.8 and 8. This sub-area is an 8-inch thick slab-on-grade.
- Sub-area 7:** Defined roughly as between grids N.6 and P, 7 and 8. This sub-area is an 8-inch thick slab-on-grade supplemented with grade beams and drilled piers.

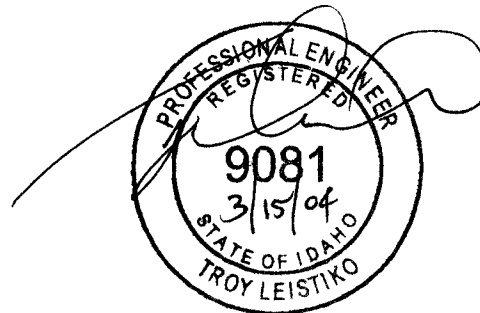
We have determined the superimposed live load capacity of each sub-area as follows (reference our calculation booklet for the detailed structural analysis):

- Sub-area 1:** 500 pounds per square foot.
- Sub-area 2:** 2615 pounds per square foot, except the assembly pit which is limited to 285 pounds per square foot.
- Sub-area 3:** 500 pounds per square foot.
- Sub-area 4:** 1542 pounds per square foot.
- Sub-area 5:** 1490 pounds per square foot.
- Sub-area 6:** 500 pounds per square foot.
- Sub-area 7:** 500 pounds per square foot, except the 6'-2" wide strip that supports the railroad tracks which can support up to 1895 pounds per square foot.

We have analyzed only the concrete floor of the HIGH BAY ASSEMBLY SHOP as described in this letter. We hold no responsibility for any other element or the integrity of the structure as a whole. Please call with any specific questions.

Sincerely,

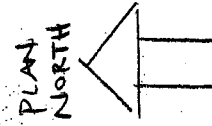
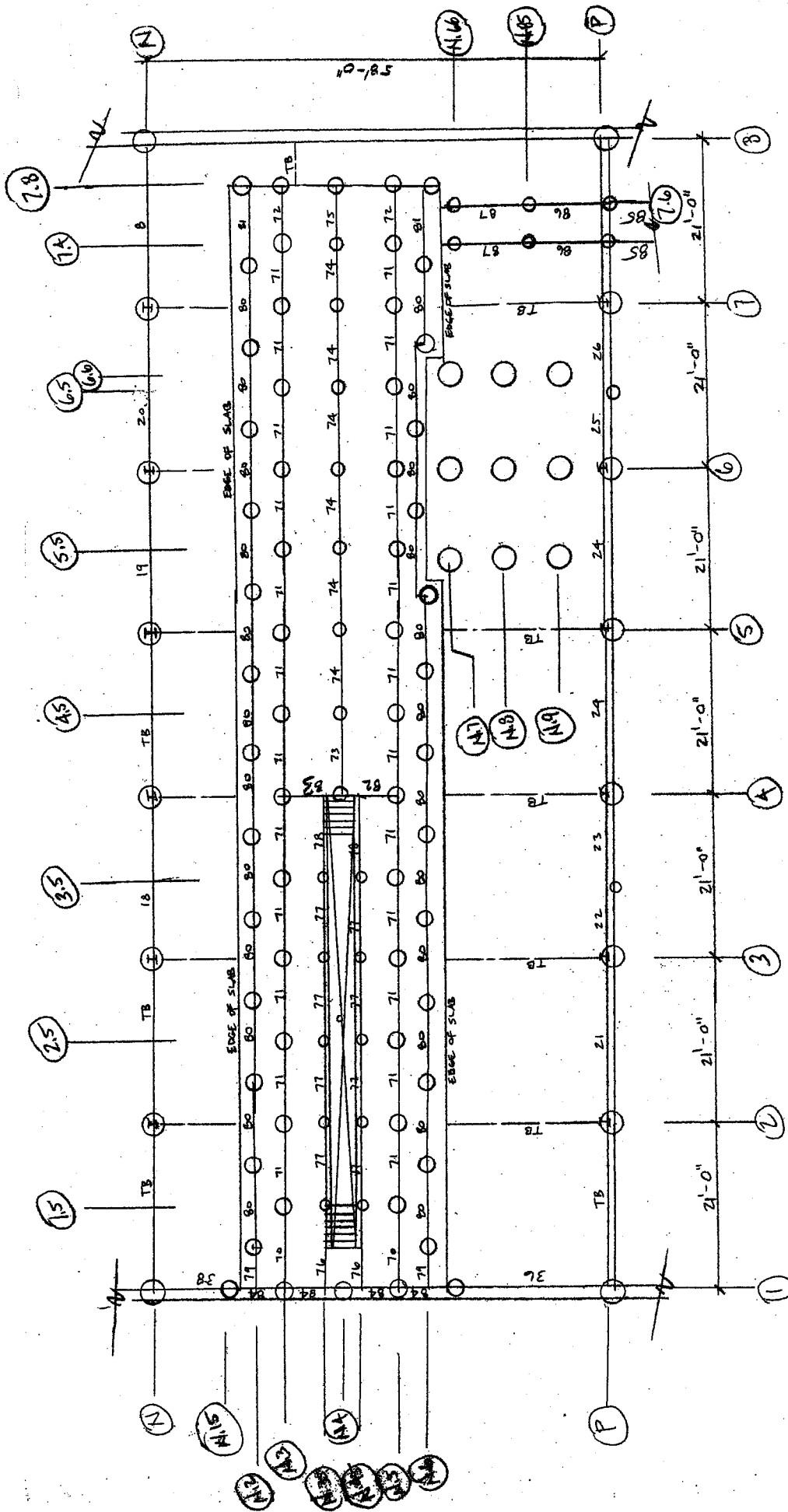
Eclipse Engineering, Inc.



Troy Leistiko, P.E.
Project Engineer

Attachments: PARTIAL FOUNDATION & FIRST FLOOR PLAN, KEY PLAN

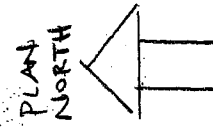
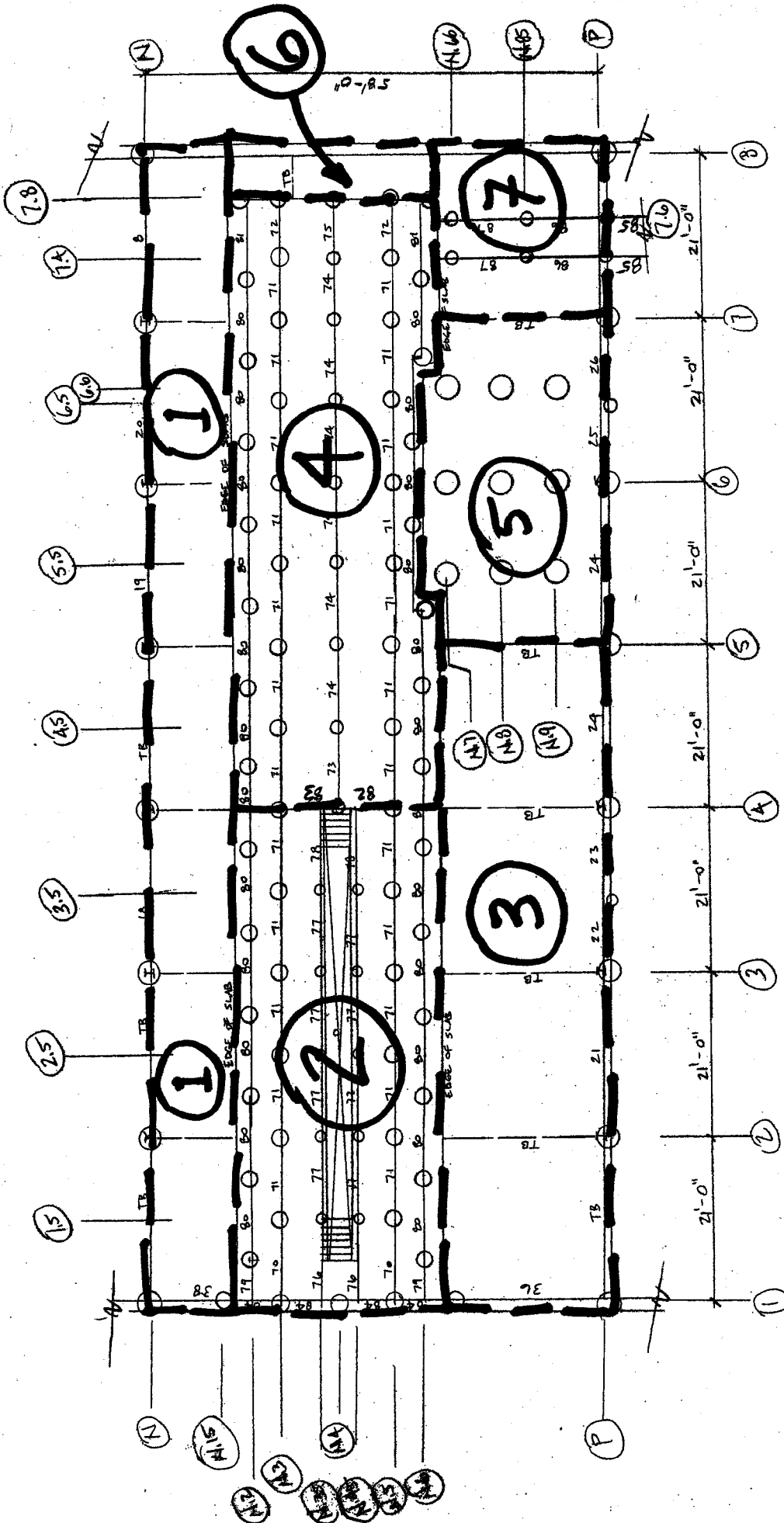
ECLIPSE ENGINEERING
TROY LEISTIKO
3/11/04



PARTIAL FOUNDATION & FIRST FLOOR PLAN
NO SCALE

TAN BLDG. 607A
FLOOR ANALYSIS

ECLIPSE ENGINEERING
 TROY LEISTIKO
 3/11/04



KEY PLAN
 NO SCALE

TAN BLDG. 607A
 FLOOR ANALYSIS



Structural Calculations

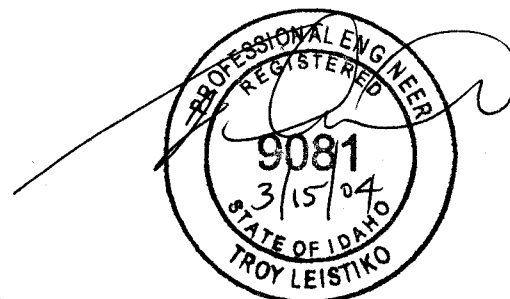
Concrete Floor Analysis

Building TAN 607A, High Bay Assembly Shop

Idaho National Engineering & Environmental
Laboratory

Idaho Falls, Idaho

Prepared For:
Portage Environmental
591 Park Avenue, Suite 201
Idaho Falls, ID 83402



structural mechanics

235 N. 1st St. West, 2nd Floor
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Structural Narrative:

The floor and foundation area bound by grid lines 1 to the west, 8 to the east, N to the north and P to the south is a system of cast-in-place concrete slabs, grade beams and drilled concrete piers. This area, also known as the HIGH BAY ASSEMBLY SHOP, is approximately 58'-0" x 147'-0" as shown on the attached PARTIAL FOUNDATION & FIRST FLOOR PLAN. Also reference the original structural drawings produced by The Ralph M. Parsons Company, dated 8/3/56.

Within the area described above, there are several different sub-areas where the configuration of the slab, grade beams and drilled piers vary as follows (also reference the attached KEY PLAN):

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Sub-area 2: Defined roughly as between grids N.2 and N.6, 1 and 4. This sub-area is a system of slabs, grade beams and drilled piers. Contained within this sub-area is the ASSEMBLY PIT.

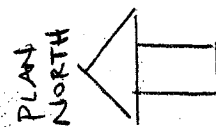
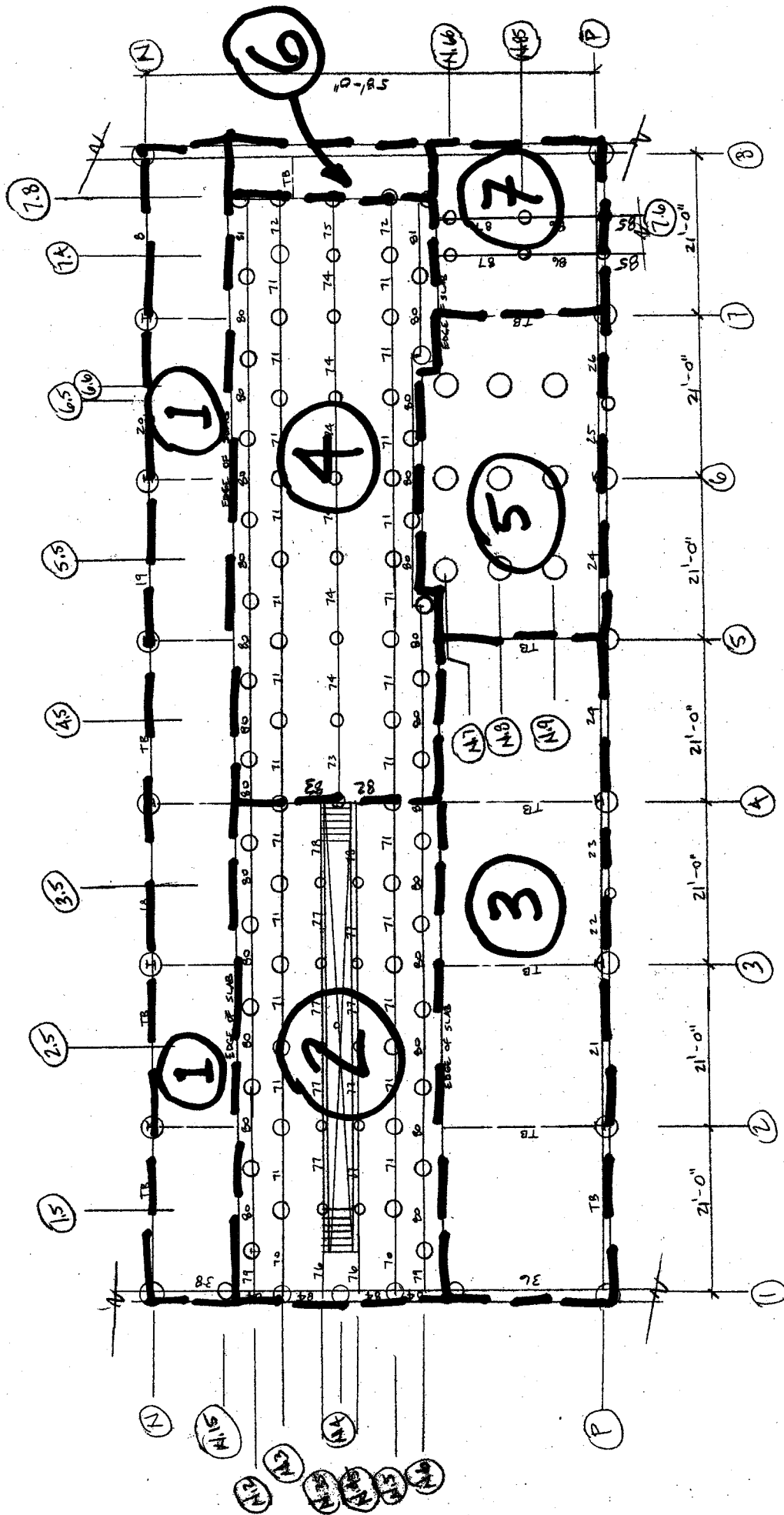
Sub-area 3: Defined roughly as between grids N.6 and P, 1 and 5. This sub-area is an 8-inch thick slab on grade.

Sub-area 4: Defined roughly as between grids N.2 and N.6, 4 and 7.8. This sub-area is a system of slabs, grade beams and drilled piers.

Sub-area 5: Defined roughly as between grids N.6 and P, 5 and 7. This sub-area is an 8-inch thick slab-on-grade supplemented with drilled piers. Contained within this sub-area is the BED PLATE.

Sub-area 6: Defined roughly as between grids N.2 and N.6, 7.8 and 8. This sub-area is an 8-inch thick slab on grade.

Sub-area 7: Defined roughly as between grids N.6 and P, 7 and 8. This sub-area is an 8-inch thick slab-on-grade supplemented with grade beams and drilled piers.



KEY PLAN
NO SCALE

Grade Beam Table

Label	Ctr. To Ctr. Span, (ft.)	width, b (in.)	height, h (in.)	depth to rebar, d (in.)	BOTTOM BARS qty. size	A _s (in ²)	TOP BARS qty. size	A _s (in ²)	STIRRUPS size	A _v (in ²)	spacing (in.)	STRENGTH $\phi_b M_n^+$ (k-ft)	$\phi_b M_n^-$ (k-ft)	$\phi_v V_n$ (k)
70	10.50	26	66	62	6 #9 =	6.00	8 #7 =	4.80	#4	0.40	12	1077	868	207
71	10.50	26	66	62	5 #8 =	3.95	8 #7 =	4.80	#4	0.40	12	718	868	207
72	7.75	26	66	62	6 #9 =	6.00	8 #7 =	4.80	#4	0.40	12	1077	868	207
73	10.50	18	48	44	5 #8 =	3.95	6 #7 =	3.60	#4	0.40	12	497	455	117
74	10.50	18	48	44	5 #8 =	3.95	6 #7 =	3.60	#4	0.40	12	497	455	117
75	7.75	18	48	44	5 #8 =	3.95	6 #7 =	3.60	#4	0.40	12	497	455	117
76	10.50	12	66	62	3 #8 =	2.37	3 #9 =	3.00	#4	0.40	12	428	537	134
77	10.50	12	66	62	3 #8 =	2.37	3 #9 =	3.00	#4	0.40	12	428	537	134
78	10.50	12	66	62	3 #8 =	2.37	3 #9 =	3.00	#4	0.40	12	428	537	134
79	5.25	66	36	32	10 #10 =	12.70	20 #6 =	8.80	#4	0.40	12	1150	812	216
80	10.50	66	36	32	8 #10 =	10.16	20 #6 =	8.80	#4	0.40	12	931	812	216
81	10.50	66	36	32	10 #10 =	12.70	20 #6 =	8.80	#4	0.40	12	1150	812	216
82	7.50	15	66	62	4 #8 =	3.16	4 #8 =	3.16	#4	0.40	12	569	569	149
83	7.50	15	66	62	4 #8 =	3.16	4 #8 =	3.16	#4	0.40	12	569	569	149
84	8.00	18	66	62	2 #9 =	2.00	2 #9 =	2.00	#4	0.40	12	366	366	165
85	10.00	20	35	31	4 #7 =	2.40	3 #8 =	2.37	#4	0.40	12	215	212	88
86	9.50	20	35	31	4 #7 =	2.40	3 #8 =	2.37	#4	0.40	12	215	212	88
87	9.50	20	35	31	4 #7 =	2.40	3 #8 =	2.37	#4	0.40	12	215	212	88
TB	N/A	16	24	20	2 #5 =	0.62	2 #5 =	0.62	N/A	0.00	12	37	37	27

Rebar Area Sub-Table

Bar Size	Area (in ²)
3	0.11
4	0.20
5	0.31
6	0.44
7	0.60
8	0.79
9	1.00
10	1.27
11	1.56

Properties & Formulae

 $f_c =$ 2500 psi $F_y =$ 40000 psi $F_v =$ 40000 psi $\phi_b =$ 0.9 $\phi_v =$ 0.85 $a =$ $\frac{A_s F_y}{0.85 f_c b}$ OR $\frac{A_s F_y}{0.85 f_c b}$ $M_n^+ =$ $A_s F_y (d - a/2)$ $M_n^- =$ $A_s F_y (d - a/2)$ $V_n =$ $(V_c + A_s F_y d/s)$ where $V_c = 2 \sqrt{f_c} b d$

SAMPLE CALCULATION (UNABRIDGED)

Label : Grade Beam 70, M⁺

CONCRETE BEAMS

$$k := 1000 \cdot \text{lb}$$

$$plf := \frac{\text{lb}}{\text{ft}}$$

$$\text{psi} := \frac{\text{lb}}{\text{in}^2}$$

$$\phi_b := 0.9$$

$$\phi_v := 0.85$$

$$b := 26 \cdot \text{in}$$

$$h := 66 \cdot \text{in}$$

$$d := h - 4 \cdot \text{in} \quad d = 62 \text{ in}$$

$$f_c := 2500 \cdot \text{psi}$$

$$f_y := 40000 \cdot \text{psi}$$

$$f_v := 40000 \cdot \text{psi}$$

$$E := 57000 \cdot \sqrt{f_c} \cdot \frac{\text{lb}}{\text{in}^2}$$

$$E = 2850000 \frac{\text{lb}}{\text{in}^2}$$

$$I_g := \frac{b \cdot h^3}{12}$$

$$\rho_{\min} := \frac{200 \cdot \text{psi}}{f_y}$$

$$A_{\min} := \rho_{\min} \cdot b \cdot d$$

$$A_{\min} = 8.06 \text{ in}^2$$

Analyze (6) #9 Bars bottom reinf.

$f'_c = 2,500 \text{ psi}$, $f_y = 40,000 \text{ psi}$

#4 stirrups @ 12" o.c.

$$A := 6.00 \cdot \text{in}^2$$

$$A = 6 \text{ in}^2$$

$$\rho := \frac{A}{b \cdot d}$$

$$\rho = 0.00372$$

$$\rho_{\min} = 0.005$$

$$a := \frac{A \cdot f_y}{0.85 \cdot f_c \cdot b}$$

$$M_d := \phi_b \cdot A \cdot f_y \cdot \left(d - \frac{a}{2} \right)$$

$$\phi M_d = 1076.905 \text{ k} \cdot \text{ft}$$

$$A_v := 0.40 \cdot \text{in}^2$$

$$V_c := 2 \cdot \sqrt{f_c} \cdot b \cdot d \cdot \frac{1}{\text{in}^2}$$

$$V_c = 161.2 \text{ k}$$

$$s := 12 \cdot \text{in}$$

$$\phi V_d := \phi_v \cdot \left(V_c + \frac{A_v \cdot f_y \cdot d}{s} \right)$$

$$\phi V_d = 207.3 \text{ k}$$

TAN BLDG 607A

FLOOR ANALYSIS

TROY

3/4/04

ANALYSIS NOTES

- EFF. SPAN =
- CENTER TO CENTER OF SUPPORTS FOR ANALYSIS
 - DESIGN AT FACES OF SUPPORTS (MOMENTS)
 - CLEAR SPAN ANALYSIS FOR THE SLABS.
 - DESIGN FOR V_u AT d FROM FACE OF SUPPORT

CODE

COMMENTARY

8.2.4 — Consideration shall be given to effects of forces due to prestressing, crane loads, vibration, impact, shrinkage, temperature changes, creep, expansion of shrinkage-compensating concrete, and unequal settlement of supports.

8.3 — Methods of analysis

8.3.1 — All members of frames or continuous construction shall be designed for the maximum effects of factored loads as determined by the theory of elastic analysis, except as modified according to 8.4. It shall be permitted to simplify design by using the assumptions specified in 8.6 through 8.9.

8.3.2 — Except for prestressed concrete, approximate methods of frame analysis shall be permitted for buildings of usual types of construction, spans, and story heights.

8.3.3 — As an alternate to frame analysis, the following approximate moments and shears shall be permitted for design of continuous beams and one-way slabs (slabs reinforced to resist flexural stresses in only one direction), provided:

- (a) There are two or more spans;
- (b) Spans are approximately equal, with the larger of two adjacent spans not greater than the shorter by more than 20 percent;
- (c) Loads are uniformly distributed;
- (d) Unit live load does not exceed three times unit dead load; and
- (e) Members are prismatic.

Positive moment

End spans

Discontinuous end

unrestrained $w_u l_n^2 / 11$

Discontinuous end integral

with support $w_u l_n^2 / 14$

Interior spans $w_u l_n^2 / 16$

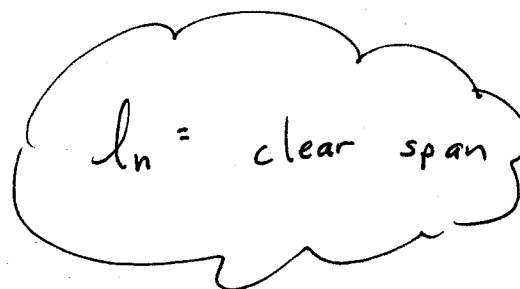
to the structure should be considered in the analysis of the structure because they may lead to increased design forces in some or all elements. Special provisions for seismic design are given in Chapter 21.

R8.2.4 — Information is accumulating on the magnitudes of these various effects, especially the effects of column creep and shrinkage in tall structures,^{8.1} and on procedures for including the forces resulting from these effects in design.

R8.3 — Methods of analysis

R8.3.1 — Factored loads are service loads multiplied by appropriate load factors. If the alternate design method of Appendix A is used, the loads used in design are service loads (load factors of unity). For both the strength design method and the alternate design method, elastic analysis is used to obtain moments, shears, and reactions.

R8.3.3 — The approximate moments and shears give reasonably conservative values for the stated conditions if the flexural members are part of a frame or continuous construction. Because the load patterns that produce critical values for moments in columns of frames differ from those for maximum negative moments in beams, column moments should be evaluated separately.



CODE

Negative moments at exterior face
of first interior support

Two spans..... $w_u l_n^2/9$
More than two spans $w_u l_n^2/10$

Negative moment at other faces
of interior supports $w_u l_n^2/11$

Negative moment at face of all
supports for

Slabs with spans not exceeding
10 ft; and beams where ratio of
sum of column stiffnesses to
beam stiffness exceeds eight at
each end of the span..... $w_u l_n^2/12$

Negative moment at interior face
of exterior support for members
built integrally with supports

Where support is spandrel beam $w_u l_n^2/24$
Where support is a column..... $w_u l_n^2/16$

Shear in end members at face of
first interior support $1.15 w_u l_n/2$

Shear at face of all other
supports $w_u l_n/2$

8.4 — Redistribution of negative moments in continuous nonprestressed flexural members

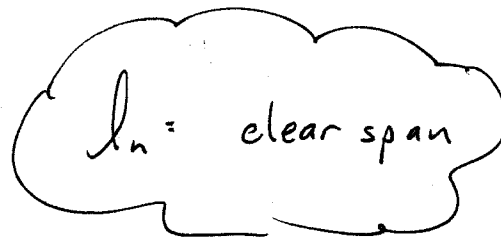
For criteria on moment redistribution for prestressed
concrete members, see 18.10.4.

8.4.1 — Except where approximate values for
moments are used, it shall be permitted to increase or
decrease negative moments calculated by elastic the-
ory at supports of continuous flexural members for any
assumed loading arrangement by not more than

$$20 \left(1 - \frac{\rho - \rho'}{\rho_b} \right) \text{ percent}$$

8.4.2 — The modified negative moments shall be used
for calculating moments at sections within the spans.

COMMENTARY



R8.4 — Redistribution of negative moments in continuous nonprestressed flexural members

Moment redistribution is dependent on adequate ductility in
plastic hinge regions. These plastic hinge regions develop at
points of maximum moment and cause a shift in the elastic
moment diagram. The usual result is a reduction in the val-
ues of negative moments in the plastic hinge region and an
increase in the values of positive moments from those com-
puted by elastic analysis. Because negative moments are
determined from one loading arrangement and positive
moments from another, each section has a reserve capacity
that is not fully utilized for any one loading condition. The
plastic hinges permit the utilization of the full capacity of
more cross sections of a flexural member at ultimate loads.

Using conservative values of ultimate concrete strains and
lengths of plastic hinges derived from extensive tests, flex-
ural members with small rotation capacity were analyzed
for moment redistribution varying from 10 to 20 percent,
depending on the reinforcement ratio. The results were
found to be conservative (see Fig. R8.4). Studies by Cohn^{8.2}
and Mattock^{8.3} support this conclusion and indicate that

TAN

BLDG 607A

FLOOR

ANALYSIS - SUB-AREAS 1, 3, 6

TROY

3/4/04

SUB-AREAS

(1), (3), (6)

EACH OF THESE SUB-AREAS IS AN
8" THICK SLAB-ON-GRADE THAT IS
REINFORCED W/ 4" x 4" - #6/#6 WELDED WIRE FABRIC.

IN ACCORDANCE W/ ACI 807, THE CAPACITY
FOR THIS TYPE SLAB IS 500 PSF
SUPERIMPOSED LIVE LOAD. (SEE ATTACHED TABLE)

CAPACITY = 500 PSF LIVE LOAD

SLABS ON GROUND *

For any slab on the ground, adequate preparation of subgrade for drainage and compaction is of prime importance. Dowelled expansion joints and weakened plane contraction joints should be carefully located, including expansion joints at all walls.

The design of slabs on the ground to distribute concentrated or uniform loads involves the elastic properties of the subsoil and the slab itself. An analysis can be made but is quite involved. Slabs for the very lightest occupancy should be not less than 4" thick, and slabs for other occupancies may be empirically selected, the following being about minimum and sometimes less than what is required by ACI 807 for supported slabs:—

Occupancy **	Min. Slab Thickness	Reinforcement †
Sub-slabs under other slabs	2"	None
Domestic or light commercial (loaded less than 100 psf)	4"	One layer 6 x 6 10/10 welded wire fabric, minimum for ideal conditions; 6 x 6 8/8 for average conditions.
Commercial—institutional—barns (loaded 100-200 psf)	5"	One layer 6 x 6 8/8 welded wire fabric or one layer 6 x 6 6/6.
Industrial (loaded not over 400-500 psf) and pavements for industrial plants, gas stations, and garages	6"	One layer 6 x 6 6/6 welded wire fabric or one layer 6 x 6 4/4.
Industrial (loaded 600-800 psf) and heavy pavements for industrial plants, gas stations, and garages	6"	Two layers 6 x 6 6/6 welded wire fabric or two layers 6 x 6 4/4
Industrial (loaded 1500 psf) †	7"	Two mats of bars (one top, one bottom), each of #4 bars @ 12" c/c, each way
Industrial (loaded 2500 psf) †	8"	Two mats of bars (one top, one bottom), each of #5 bars @ 12" c/c, each way
Industrial (loaded 3000-3500 psf) †	9"	Two mats of bars (one top, one bottom), each of #5 bars @ 8" to 12" c/c, each way

* For further details, see "Concrete Floors on Ground," and "Concrete Airport Pavement," Portland Cement Association, 33 West Grand Avenue, Chicago, Illinois, 1952, and "Design of Concrete Floors on Ground for Warehouse Loadings," Aug. 1957 Journal, American Concrete Institute, P. O. Box 4754, Redford Sta., Detroit 19, Mich.

** For loads in excess of, say, 500 psf, use at least 3000 psi quality controlled concrete, and investigate subsoil conditions with extra care. Fill material and compaction should be equivalent to ordinary highway practice. If laboratory control of compaction is available, the load capacities can be increased in the ratio of the actual compaction coefficient, k , to 100.

† For loads in excess of, say, 1500 psf the subsoil conditions should be investigated with extra care.

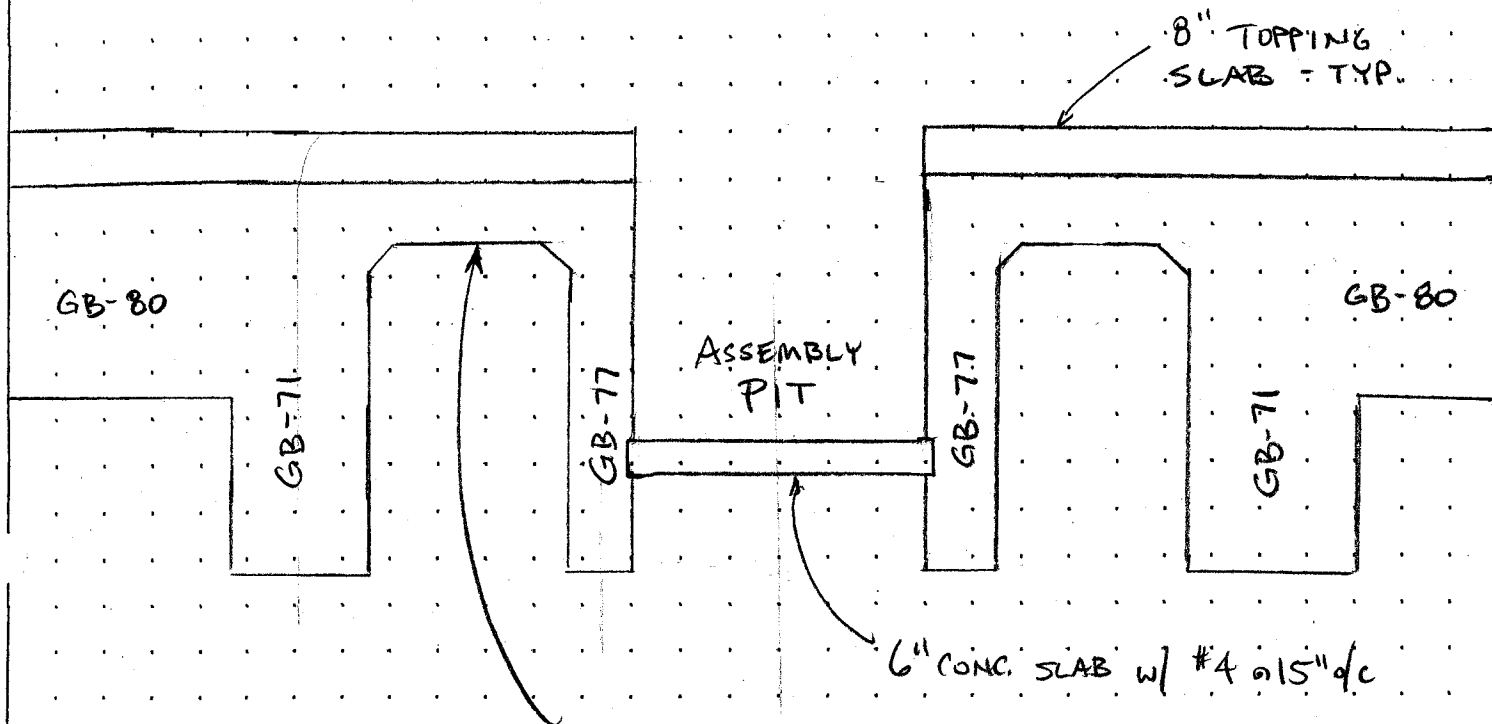
‡ Place first layer of reinforcement 2 in. below top of slab; second layer, 2 in. up from bottom of slab.

SUB-AREA

(2)

- REF.

A
S115



10" CONC SLAB w/ #6 @ 10" o.c.
THAT IS 15" DEEP AT THE GRADE BEAMS
d to $A_s = 7"$
d to $A'_s = 13"$

TYPICAL CROSS SECTION

NO SCALE

* CAPACITY = 2615 PSF LIVE LOAD

* EXCEPT THE ASSEMBLY PIT WHICH
IS LIMITED TO 285 PSF LIVE LOAD

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	Assembly Pit, 6" slab	Typical 15" slab	70	71	72
Depth of Beam (in) h	6	10	66	66	66
Depth to Reinf. (in) d	4	7	62	62	62
Width of Beam (in) b	15	10	26	26	26
Slab Section or Beam Size	15 x 6	10 x 10	26 x 66	26 x 66	26 x 66
Design Criteria					
Δ limit due to Long-Term Loads (L /) applied after non-structural elements are attached	360 480	360 480	360 480	360 480	360 480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = \xi / (1 + 50\rho')$, $\xi = 2.0$ for long-term load	2.00	1.52	1.74	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	75	100	100	100	100
Floor Uniform Live Load (psf)	285	2615	5000	5000	5000
Floor Beam Linear Dead Load (plf)	93.75	104.17	1787.50	1787.50	1787.50
Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1					
Span (Ctr to Ctr of Supports) (ft)	6	5	10.5	10.5	7.75
Width of Supports (in)	12	24	26	26	26
Analyze Ctr-Ctr(0) or Ctr Span(1)	1	1	1	1	1
Effective Span (ft)	5	3	8.33333333	8.33333333	5.58333333
Tributary width (ft)	1.25	0.83	4.50	4.50	4.50
Include beam wt? No(0)/Yes(1)	0	1	1	1	1
Uniform Dead Load (plf)	93.75	187.47	2237.50	2237.50	2237.50
Uniform Live Load (plf)	356.25	2178.30	22500.00	22500.00	22500.00
$U = 1.4D + 1.7L$ (plf)	737	3966	41383	41383	41383
V.u (lb), $1.15\omega_u/2$	2,119	6,841	198,291	198,291	132,855
V.u (lb), $\omega_u/2$	1,842	5,948	172,427	172,427	115,526
V.u (lb), $\omega_u/2 - d\omega_u$	1,597	3,635	-41,383	-41,383	-98,283
Choose V.u	1,842	5,948	198,291	172,427	115,526
M ⁺ .u (lb.ft), $\omega_u/8$	2,303	4,461	359,223	359,223	161,255
M ⁺ .u (lb.ft), $\omega_u/11$	1,675	3,245	261,253	261,253	117,277
M ⁺ .u (lb.ft), $\omega_u/14$	1,316	2,549	205,270	205,270	92,146
M ⁺ .u (lb.ft), $\omega_u/16$	1,151	2,231	179,612	179,612	80,628
Choose M ⁺ .u	2,303	2,231	261,253	179,612	80,628
M ⁻ .u (lb.ft), $\omega_u/9$	2,047	3,966	319,309	319,309	143,338
M ⁻ .u (lb.ft), $\omega_u/10$	1,842	3,569	287,378	287,378	129,004
M ⁻ .u (lb.ft), $\omega_u/11$	1,675	3,245	261,253	261,253	117,277
M ⁻ .u (lb.ft), $\omega_u/12$	1,535	2,974	239,482	239,482	107,503
M ⁻ .u (lb.ft), $\omega_u/16$	1,151	2,231	179,612	179,612	80,628
M ⁻ .u (lb.ft), $\omega_u/24$	768	1,487	119,741	119,741	53,752
	0	0	0	0	0
Choose M ⁻ .u	0	2,974	287,378	261,253	117,277

Strength Design	Pit. 6" slab	15" slab	70	CONTINUED	
Flexural Steel Bars (Bottom)	(1) #4	(1) #6	(6) #9		
Flexural Steel Area (in ²), A_s	0.20	0.44	6.00		
Shear Steel Bars	None	None	(2) #4		
Shear Steel Area (in ²), A_v	0.00	0.00	0.40		
spacing of shear steel (in), s	999	999	12		
Flexural Steel Bars (Top)	None	(1) #6	(8) #7		
Flexural Steel Area (in ²), A_s	0.00	0.44	4.80		
Concrete Strength (psi), f_c	2500	2500	2500		
Flexural Steel (psi), f_y	40000	40000	40000		
Shear Steel (psi), f_y	40000	40000	40000		
Depth of top comp. block (in), a	0.25	0.83	4.34		
ρ	0.00333	0.00629	0.00372		
ρ_{min}	0.00500	0.00500	0.00500		
Min. reinf. Check	more steel	OK	more steel		
β_1	0.85	0.85	0.85		
$\rho_{max} = 0.75 \cdot \rho_{balanced}$	0.02320	0.02320	0.02320		
Max. reinf. Check	OK	OK	OK		
Depth of bottom comp. block (in), a	0.00	0.83	3.48		
ρ' (manual check min. & max.)	0.00000	0.00629	0.00298		
ϕ_b	0.9	0.9	0.9		
ϕ_v	0.85	0.85	0.85		
Bending Strength, $M^*.d = \phi M^*.n$ (lb*ft)	2,325	8,693	1,076,905		
Check bending strength	OKAY	OKAY	OKAY		
Bending Strength, $M^*.d = \phi M^*.n$ (lb*ft)	0	8,693	867,779		
Check bending strength	OKAY	OKAY	OKAY		
Shear Strength, $V.d = \phi V.n$ (lb)	5,100	5,950	207,287		
Check shear strength	OKAY	OKAY	OKAY		
Deflection Design (Valid for simple spans only)					
f_r , modulus of rupture (psi)	375	375	375		
I_g , Gross moment of inertia (in ⁴)	270	833	622,908		
y_t , distance from N.A. to tension face	3.00	5.00	33.00		
M_{cr} , Cracking Moment (lb*ft)	2,813	5,208	589,875		
M_{max} , Service Moment	1,406	2,661	214,735		
E_s , Elastic Mod. Of Steel (psi)	29,000,000	29,000,000	29,000,000		
E_c , Elastic Mod. Of concrete (psi)	2,850,000	2,850,000	2,850,000		
$n = E_s/E_c$	10.2	10.2	10.2		
$c = d[(np^*(np+2))^{1/2} - np]$	0.91	2.10	14.88		
I_{cr} , Cracked moment of inertia (in ⁴)	23	138	164,108		
I_e , Effective moment of inertia (in ⁴)	270	833	622,908		
Δ , immediate due to live load (in)	0.007	0.002	0.001		
Span / deflection	9216	21537	72716		
Check live deflection	OKAY	OKAY	OKAY		
Δ , long term from dead load (in)	0.003	0.000	0.000		
Δ , lg. term from sustained live ld. (in)	0.004	0.001	0.001		
Δ , instantaneous live load (in)	0.005	0.001	0.001		
Δ , after attachment of non-structural elements (in.) = Rows 95+96+97	0.013	0.002	0.002		
Span / deflection	4784	15806	52579		
Check live deflection	OKAY	OKAY	OKAY		

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	76	77	78	79	80
Depth of Beam (in) h	66	66	66	36	36
Depth to Reinf. (in) d	62	62	62	32	32
Width of Beam (in) b	12	12	12	66	66
Slab Section or Beam Size	12 x 66	12 x 66	12 x 66	66 x 36	66 x 36
Design Criteria					
Δ limit due to Long-Term Loads (L /) applied after non-structural elements are attached	360 480	360 480	360 480	360 480	360 480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = \xi / (1 + 50\rho')$, $\xi = 2.0$ for long-term	1.66	1.66	1.66	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	100	100	100	100	100
Floor Uniform Live Load (psf)	2933	3405	2933	5000	5000
Floor Beam Linear Dead Load (plf)	825.00	825.00	825.00	2475.00	2475.00
Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1					
Span (Ctr to Ctr of Supports) (ft)	10.5	10.5	10.5	5.25	10.5
Width of Supports (in)	22	22	22	28	28
Analyze Ctr-Ctr(0) or Ctr Span(1)	1	1	1	1	1
Effective Span (ft)	8.66666667	8.66666667	8.66666667	2.91666667	8.16666667
Tributary width (ft)	5.00	5.00	5.00	4.00	4.00
Include beam wt? No(0)/Yes(1)	1	1	1	1	1
Uniform Dead Load (plf)	1325.00	1325.00	1325.00	2875.00	2875.00
Uniform Live Load (plf)	14665.00	17025.00	14665.00	20000.00	20000.00
$U = 1.4D + 1.7L$ (plf)	26786	30798	26786	38025	38025
V_u (lb), $1.15\omega_u/2$	133,481	153,474	133,481	63,771	178,559
V_u (lb), $\omega_u/2$	116,071	133,456	116,071	55,453	155,269
V_u (lb), $\omega_u/2 - d\omega_u$	-22,321	-25,665	-22,321	-45,947	53,869
Choose V_u	133,481	133,456	133,481	63,771	155,269
$M^+.u$ (lb.ft), $\omega_u/8$	251,486	289,154	251,486	40,435	317,007
$M^+.u$ (lb.ft), $\omega_u/11$	182,899	210,294	182,899	29,407	230,551
$M^+.u$ (lb.ft), $\omega_u/14$	143,706	165,231	143,706	23,105	181,147
$M^+.u$ (lb.ft), $\omega_u/16$	125,743	144,577	125,743	20,217	158,504
Choose $M^+.u$	182,899	144,577	182,899	29,407	158,504
$M^-.u$ (lb.ft), $\omega_u/9$	223,543	257,026	223,543	35,942	281,784
$M^-.u$ (lb.ft), $\omega_u/10$	201,189	231,323	201,189	32,348	253,606
$M^-.u$ (lb.ft), $\omega_u/11$	182,899	210,294	182,899	29,407	230,551
$M^-.u$ (lb.ft), $\omega_u/12$	167,657	192,770	167,657	26,956	211,338
$M^-.u$ (lb.ft), $\omega_u/16$	125,743	144,577	125,743	20,217	158,504
$M^-.u$ (lb.ft), $\omega_u/24$	83,829	96,385	83,829	13,478	105,669
	0	0	0	0	0
Choose $M^-.u$	201,189	192,770	201,189	32,348	230,551

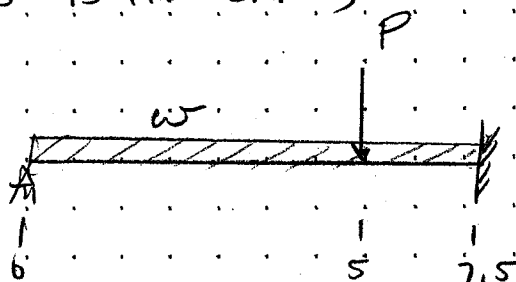
Strength Design	76	77	78	CONTINUED	
Flexural Steel Bars (Bottom)	(3) #8	(3) #8	(3) #8		
Flexural Steel Area (in ²), A _s	2.37	2.37	2.37		
Shear Steel Bars	(2) #4	(2) #4	(2) #4		
Shear Steel Area (in ²), A _v	0.40	0.40	0.40		
spacing of shear steel (in), s	12	12	12		
Flexural Steel Bars (Top)	(3) #9	(3) #9	(3) #9		
Flexural Steel Area (in ²), A' _s	3.00	3.00	3.00		
Concrete Strength (psi), f _c	2500	2500	2500		
Flexural Steel (psi), f _y	40000	40000	40000		
Shear Steel (psi), f _y	40000	40000	40000		
Depth of top comp. block (in), a	3.72	3.72	3.72		
ρ	0.00319	0.00319	0.00319		
ρ _{min}	0.00500	0.00500	0.00500		
Min. reinf. Check	more steel	more steel	more steel		
β ₁	0.85	0.85	0.85		
ρ _{max} = 0.75*ρ _{balanced}	0.02320	0.02320	0.02320		
Max. reinf. Check	OK	OK	OK		
Depth of bottom comp. block (in), a	4.71	4.71	4.71		
ρ' (manual check min. & max.)	0.00403	0.00403	0.00403		
φ _b	0.9	0.9	0.9		
φ _v	0.85	0.85	0.85		
Bending Strength, M ^u .d = φM ^u .n (lb*ft)	427,604	427,604	427,604		
Check bending strength	OKAY	OKAY	OKAY		
Bending Strength, M ^u .d = φM ^u .n (lb*ft)	536,824	536,824	536,824		
Check bending strength	OKAY	OKAY	OKAY		
Shear Strength, V ^u .d = φV ^u .n (lb)	133,507	133,507	133,507		
Check shear strength	OKAY	OKAY	OKAY		
Deflection Design (Valid for simple spans only)					
f _r , modulus of rupture (psi)	375	375	375		
I _g , Gross moment of inertia (in ⁴)	287,496	287,496	287,496		
y _t , distance from N.A. to tension face	33.00	33.00	33.00		
M _{cr} , Cracking Moment (lb*ft)	272,250	272,250	272,250		
M _{max} , Service Moment	150,128	172,286	150,128		
E _s , Elastic Mod. Of Steel (psi)	29,000,000	29,000,000	29,000,000		
E _c , Elastic Mod. Of concrete (psi)	2,850,000	2,850,000	2,850,000		
n = E _s /E _c	10.2	10.2	10.2		
c = d[(np*(np+2)) ^{1/2} -np]	13.90	13.90	13.90		
I _{cr} , Cracked moment of inertia (in ⁴)	66,537	66,537	66,537		
I _e , Effective moment of inertia (in ⁴)	287,496	287,496	287,496		
Δ, immediate due to live load (in)	0.002	0.003	0.002		
Span / deflection	45776	39430	45776		
Check live deflection	OKAY	OKAY	OKAY		
Δ, long term from dead load (in)	0.000	0.000	0.000		
Δ, lg. term from sustained live ld. (in)	0.001	0.001	0.001		
Δ, instantaneous live load (in)	0.002	0.002	0.002		
Δ, after attachment of non-structural elements (in.) = Rows 95+96+97	0.003	0.004	0.003		
Span / deflection	32941	28536	32941		
Check live deflection	OKAY	OKAY	OKAY		

82

(93 IS THE SAME)

$$h = 66", b = 15", \gamma_c = 150 \text{ PCF}$$

$$\text{BM. WT.} = \underline{1031 \text{ PLF}}$$



$$P_D = \frac{10.5'}{2} (13.25 \text{ PLF}) = 6956 \text{ LB. (REF. 78)}$$

$$P_L = \frac{10.5'}{2} (14665 \text{ PLF}) = 76991 \text{ LB. (REF. 78)}$$

$$W_D = 1031 \text{ PLF} = 1031 \text{ PLF}$$

$$P_u = 1.4 P_D + 1.7 P_L = 140.6 \text{ K}$$

$$W_u = 1.4 W_D = 1.44 \text{ KLF}$$

$$V_u = \frac{5 W_u (7.5')}{8} + \frac{P_u (5')}{2 (7.5')^3} \cdot (3 (7.5')^2 - (5')^2) = \underline{120 \text{ K}}$$

$$M_u^+ = \frac{P_u (2.5')^2}{2 (7.5')^3} (5' + 2 (7.5')) 5' = \underline{104.1 \text{ K'}}$$

$$M_u^- = \frac{P_u (2.5')(5')}{2 (7.5')^2} (5' + 7.5') = \underline{195.3 \text{ K'}}$$

$$\frac{D}{C} = 0.805$$

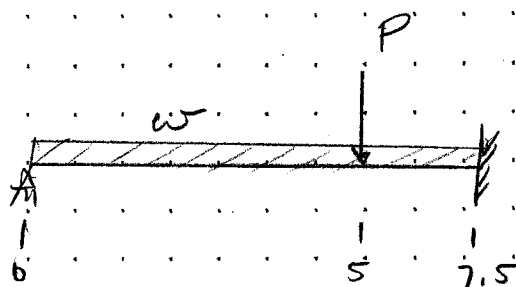
GOVERNED BY SHEAR

$$\underline{\text{LIVE LOAD} = 2933 \text{ PSF}}$$

84

$$h = 66", b = 18", \gamma_c = 150 \text{ PCF}$$

$$\text{BM. WT.} = \underline{1238 \text{ PLF}}$$



$$P_D = \frac{10.5'}{2} (13.25 \text{ PLF}) = 695.6 \text{ LB. (REF. 76)}$$

$$P_L = \frac{10.5'}{2} (1466.5 \text{ PLF}) = 7699.1 \text{ LB. (REF. 76)}$$

$$W_D = 1238 \text{ PLF} = 1238 \text{ PLF}$$

$$P_u = 1.4 P_D + 1.7 P_L = 140.6 \text{ K}$$

$$W_u = 1.4 W_D = 1.73 \text{ KLF}$$

$$V_u = \frac{5 W_u (7.5')}{8} + \frac{P_u (5')}{2 (7.5')^3} \cdot (3 (7.5')^2 - (5')^2) = \underline{128 \text{ K}}$$

$$M_u^+ = \frac{P_u (2.5')^2}{2 (7.5')^3} (5' + 2 (7.5')) 5' = \underline{104.1 \text{ K'}}$$

$$M_u^- = \frac{P_u (2.5')(5')}{2 (7.5')^2} (5' + 7.5') = \underline{195.3 \text{ K'}}$$

$$\frac{D}{C} = 0.776$$

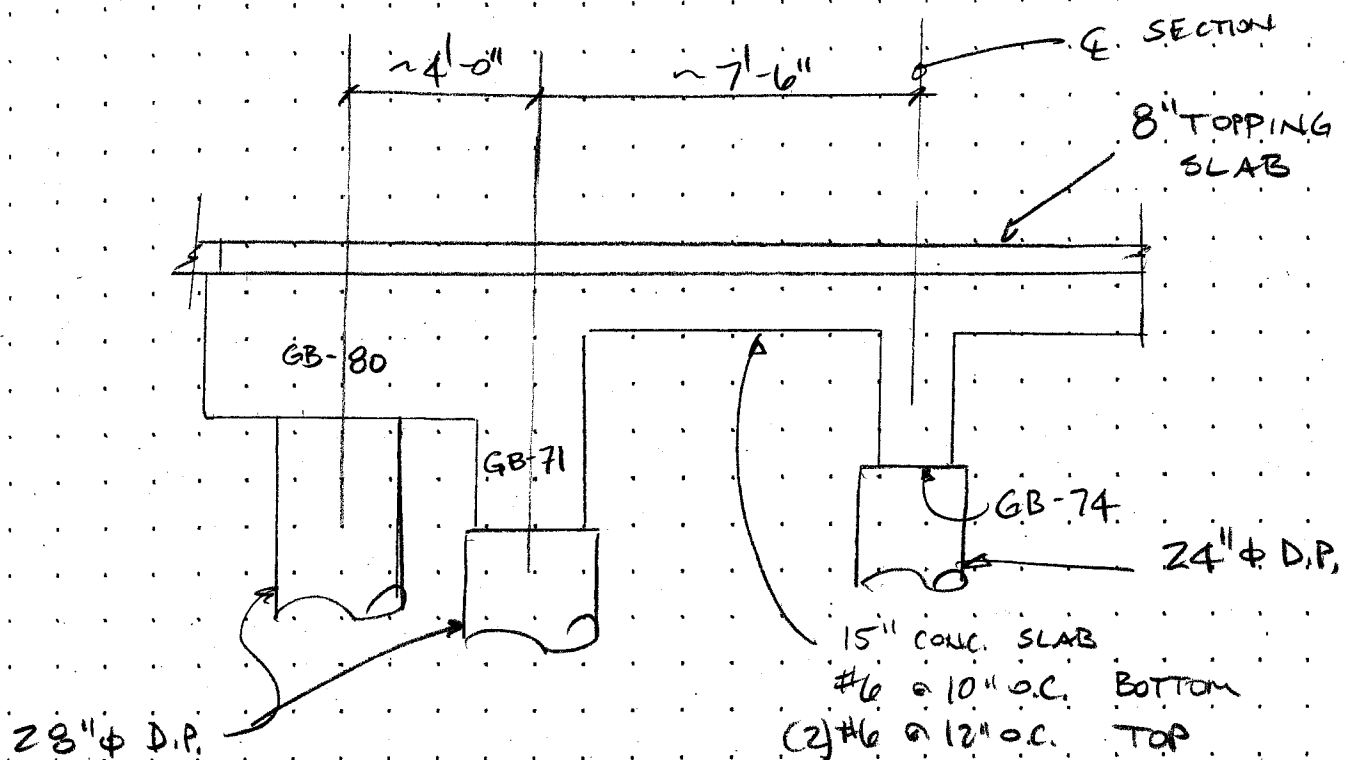
GOVERNED BY SHEAR

$$\underline{\text{LIVE LOAD} = 2933 \text{ PSF}}$$

SUB-AREA 4

- REF.

B
S115



TYPICAL CROSS SECTION

NO SCALE

CAPACITY = 1542 PLF (GOVERNED BY 73)
LIVE LOAD

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	Typical 15" slab	71	72	73	74
Depth of Beam (in) h	15	66	66	48	48
Depth to Reinf. (in) d	12	62	62	44	44
Width of Beam (in) b	12	26	26	18	18
Slab Section or Beam Size	12 x 15	26 x 66	26 x 66	18 x 48	18 x 48
Design Criteria					
Δ limit due to Long-Term Loads (L /) applied after non-structural elements are attached	360 480	360 480	360 480	360 480	360 480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = \xi / (1 + 50\rho)$, $\xi = 2.0$ for long-term l	1.53	2.00	2.00	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	100	288	288	288	288
Floor Uniform Live Load (psf)	2380	4694	5000	1542	1824
Floor Beam Linear Dead Load (plf)	187.50	1787.50	1787.50	900.00	900.00
Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1					
Span (Ctr to Ctr of Supports) (ft)	7.5	10.5	7.75	10.5	10.5
Width of Supports (in)	24	28	28	24	24
Analyze Ctr-Ctr(0) or Ctr Span(1)	1	1	1	1	1
Effective Span (ft)	5.5	8.16666667	5.41666667	8.5	8.5
Tributary width (ft)	1.00	5.75	5.75	7.50	7.50
Include beam wt? No(0)/Yes(1)	1	1	1	1	1
Uniform Dead Load (plf)	287.50	3443.50	3443.50	3060.00	3060.00
Uniform Live Load (plf)	2380.00	26990.50	28750.00	11565.00	13680.00
$U = 1.4D + 1.7L$ (plf)	4449	50705	53696	23945	27540
V.u (lb), $1.15\omega_u l_n / 2$	14,068	238,101	167,240	117,029	134,602
V.u (lb), $\omega_u l_n / 2$	12,233	207,044	145,426	101,764	117,045
V.u (lb), $\omega_u l_n / 2 - d\omega_u$	7,785	-54,930	-132,002	13,968	16,065
Choose V.u	12,233	207,044	167,240	117,029	117,045
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 8$	16,821	422,716	196,932	216,249	248,721
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 11$	12,233	307,430	143,223	157,272	180,888
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 14$	9,612	241,552	112,532	123,571	142,126
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 16$	8,410	211,358	98,466	108,124	124,360
Choose M ⁺ .u	8,410	211,358	143,223	157,272	124,360
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 9$	14,952	375,747	175,050	192,221	221,085
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 10$	13,457	338,173	157,545	172,999	198,977
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 11$	12,233	307,430	143,223	157,272	180,888
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 12$	11,214	281,810	131,288	144,166	165,814
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 16$	8,410	211,358	98,466	108,124	124,360
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 24$	5,607	140,905	65,644	72,083	82,907
	0	0	0	0	0
Choose M ⁻ .u	12,233	307,430	175,050	192,221	180,888

Strength Design	15" slab	71	72	73	74
Flexural Steel Bars (Bottom)	(1) #6				
Flexural Steel Area (in ²), A_s	0.44				
Shear Steel Bars	None				
Shear Steel Area (in ²), A_v	0.00				
spacing of shear steel (in), s	999				
Flexural Steel Bars (Top)	(2) #6				
Flexural Steel Area (in ²), A'_s	0.88				
Concrete Strength (psi), f'_c	2500				
Flexural Steel (psi), f_y	40000				
Shear Steel (psi), f_y	40000				
Depth of top comp. block (in), a	0.69				
ρ	0.00308				
ρ_{min}	0.00500				
Min. reinf. Check	more steel				
β₁	0.85				
ρ_{max} = 0.75*ρ_{balanced}	0.02320				
Max. reinf. Check	OK				
Depth of bottom comp. block (in), a	1.38				
ρ' (manual check min. & max.)	0.00611				
φ_b	0.9				
φ_v	0.85				
Bending Strength, M*.d = φM*.n (lb*ft)	15,384				
Check bending strength	OKAY				
Bending Strength, M*.d = φM*.n (lb*ft)	29,858				
Check bending strength	OKAY				
Shear Strength, V.d = φV.n (lb)	12,240				
Check shear strength	OKAY				
Deflection Design (Valid for simple spans only)					
f_r, modulus of rupture (psi)	375				
I_g, Gross moment of inertia (in⁴)	3,375				
y_t, distance from N.A. to tension face	7.50				
M_{cr}, Cracking Moment (lb*ft)	14,063				
M_{max}, Service Moment	10,086				
E_s, Elastic Mod. Of Steel (psi)	29,000,000				
E_c, Elastic Mod. Of concrete (psi)	2,850,000				
n = E_s/E_c	10.2				
c = d[(np*(np+2))^{1/2}-np]	2.64				
I_{cr}, Cracked moment of inertia (in⁴)	466				
I_e, Effective moment of inertia (in⁴)	3,375				
Δ, immediate due to live load (in)	0.005				
Span / deflection	12955				
Check live deflection	OKAY				
Δ, long term from dead load (in)	0.000				
Δ, lg. term from sustained live ld. (in)	0.003				
Δ, instantaneous live load (in)	0.004				
Δ, after attachment of non-structural elements (in.) = Rows 95+96+97	0.007				
Span / deflection	9451				
Check live deflection	OKAY				

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	75	None	81	79	80
Depth of Beam (in) h	48	0	36	36	36
Depth to Reinf. (in) d	44	0	32	32	32
Width of Beam (in) b	18	0	66	66	66
Slab Section or Beam Size	18 x 48	0 x 0	66 x 36	66 x 36	66 x 36
Design Criteria					
Δ limit due to Long-Term Loads (L /)	360	360	360	360	360
applied after non-structural elements are attached	480	480	480	480	480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = E/(1+50\rho')$, $\xi = 2.0$ for long-term	1.63	2.00	2.00	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	288	0	100	100	100
Floor Uniform Live Load (psf)	2440	0	5000	5000	5000
Floor Beam Linear Dead Load (plf)	900.00	0.00	2475.00	2475.00	2475.00
Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1					
Span (Ctr to Ctr of Supports) (ft)	7.75	0	10.5	5.25	10.5
Width of Supports (in)	24	0	28	28	28
Analyze Ctr-Ctr(0) or Ctr Span(1)	1	0	1	1	1
Effective Span (ft)	5.75	0	8.16666667	2.91666667	8.16666667
Tributary width (ft)	7.50	0.00	4.00	4.00	4.00
Include beam wt? No(0)/Yes(1)	1	0	1	1	1
Uniform Dead Load (plf)	3060.00	0.00	2875.00	2875.00	2875.00
Uniform Live Load (plf)	18300.00	0.00	20000.00	20000.00	20000.00
$U = 1.4D + 1.7L$ (plf)	35394	0	38025	38025	38025
V.u (lb), $1.15\omega_u l_n/2$	117,021	0	178,559	63,771	178,559
V.u (lb), $\omega_u l_n/2$	101,758	0	155,269	55,453	155,269
V.u (lb), $\omega_u l_n/2 - d\omega_u$	-28,020	0	53,869	-45,947	53,869
Choose V.u	117,021	0	178,559	63,771	155,269
M+.u (lb.ft), $\omega_u l_n/8$	146,277	0	317,007	40,435	317,007
M+.u (lb.ft), $\omega_u l_n/11$	106,383	0	230,551	29,407	230,551
M+.u (lb.ft), $\omega_u l_n/14$	83,587	0	181,147	23,105	181,147
M+.u (lb.ft), $\omega_u l_n/16$	73,138	0	158,504	20,217	158,504
Choose M+.u	106,383	0	230,551	29,407	158,504
M-.u (lb.ft), $\omega_u l_n/9$	130,024	0	281,784	35,942	281,784
M-.u (lb.ft), $\omega_u l_n/10$	117,021	0	253,606	32,348	253,606
M-.u (lb.ft), $\omega_u l_n/11$	106,383	0	230,551	29,407	230,551
M-.u (lb.ft), $\omega_u l_n/12$	97,518	0	211,338	26,956	211,338
M-.u (lb.ft), $\omega_u l_n/16$	73,138	0	158,504	20,217	158,504
M-.u (lb.ft), $\omega_u l_n/24$	48,759	0	105,669	13,478	105,669
	0	0	0	0	0
Choose M-.u	130,024	0	281,784	32,348	230,551

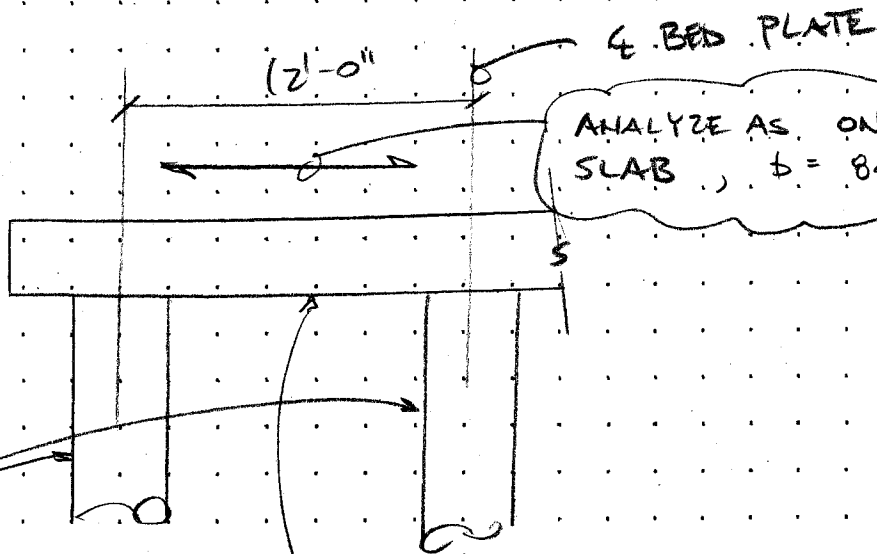
SUB-AREA

(5)

REF.

$\frac{D}{S115}$

36" ϕ D.P.
TYP.



NOTE: IN A 7'-0" WIDE
SECTION OF SLAB,
THERE ARE AT
LEAST (9) #8 TOP BARS
AND (8) #8 BOTTOM BARS

24" DEEP SLAB
w/ #8 @ 9" o/c TOP BARS
#8 @ 10" o/c BOTTOM BARS
d to $A_s = 20"$
d to $A_s = 22"$

ALSO CHECK PERPENDICULAR DIRECTION
#6 @ 6" o/c TOP, #6 @ 12" o/c BOTTOM

CAPACITY = 1490 PSF LIVE LOAD

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	12-ft span 24" slab	7-span 24" slab	None	None	None
Depth of Beam (in) h	24	24	0	0	0
Depth to Reinf. (in) d	20	20	0	0	0
Width of Beam (in) b	84	12	0	0	0
Slab Section or Beam Size	84 x 24	12 x 24	0 x 0	0 x 0	0 x 0
Design Criteria					
Δ limit due to Long-Term Loads (L /) applied after non-structural elements are attached	360 480	360 480	360 480	360 480	360 480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = \xi / (1 + 50\rho)$, $\xi = 2.0$ for long-term load	1.65	1.69	2.00	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	0	0	0	0	0
Floor Uniform Live Load (psf)	1490	2734	0	0	0
Floor Beam Linear Dead Load (plf)	2100.00	300.00	0.00	0.00	0.00
Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1					
Span (Ctr to Ctr of Supports) (ft)	12	7	0	0	0
Width of Supports (in)	36	36	0	0	0
Analyze Ctr-Ctr(0) or Ctr Span(1)	0	0	0	0	0
Effective Span (ft)	12	7	0	0	0
Tributary width (ft)	7.00	1.00	0.00	0.00	0.00
Include beam wt? No(0)/Yes(1)	1	1	0	0	0
Uniform Dead Load (plf)	2100.00	300.00	0.00	0.00	0.00
Uniform Live Load (plf)	10430.00	2734.00	0.00	0.00	0.00
$U = 1.4D + 1.7L$ (plf)	20671	5068	0	0	0
V.u (lb), $1.15\omega_u l_n / 2$	142,630	20,398	0	0	0
V.u (lb), $\omega_u l_n / 2$	124,026	17,737	0	0	0
V.u (lb), $\omega_u l_n / 2 - d\omega_u$	89,574	9,291	0	0	0
Choose V.u	142,630	20,398	0	0	0
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 8$	372,078	31,040	0	0	0
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 11$	270,602	22,575	0	0	0
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 14$	212,616	17,737	0	0	0
M ⁺ .u (lb.ft), $\omega_u l_n^2 / 16$	186,039	15,520	0	0	0
Choose M ⁺ .u	270,602	22,575	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 9$	330,736	27,591	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 10$	297,662	24,832	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 11$	270,602	22,575	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 12$	248,052	20,694	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 16$	186,039	15,520	0	0	0
M ⁻ .u (lb.ft), $\omega_u l_n^2 / 24$	124,026	10,347	0	0	0
	0	0	0	0	0
Choose M ⁻ .u	330,736	27,591	0	0	0

Strength Design	24" slab	24" slab	None	None	None
Flexural Steel Bars (Bottom)	(8) #8	(1) #6			
Flexural Steel Area (in ²), A_s	6.32	0.44			
Shear Steel Bars	None	None			
Shear Steel Area (in ²), A_v	0.00	0.00			
spacing of shear steel (in), s	999	999			
Flexural Steel Bars (Top)	(9) #8	(2) #6			
Flexural Steel Area (in ²), A'_s	7.11	0.88			
Concrete Strength (psi), f_c	2500	2500			
Flexural Steel (psi), f_y	40000	40000			
Shear Steel (psi), f_y	40000	40000			
Depth of top comp. block (in), a	1.42	0.69			
ρ	0.00376	0.00183			
ρ_{min}	0.00500	0.00500			
Min. reinf. Check	more steel	more steel			
β₁	0.85	0.85			
ρ_{max} = 0.75*ρ_{balanced}	0.02320	0.02320			
Max. reinf. Check	OK	OK			
Depth of bottom comp. block (in), a	1.59	1.38			
ρ' (manual check min. & max.)	0.00423	0.00367			
φ_b	0.9	0.9			
φ_v	0.85	0.85			
Bending Strength, M^u.d = φMⁿ.n (lb*ft)	365,774	25,944			
Check bending strength	OKAY	OKAY			
Bending Strength, M^u.d = φMⁿ.n (lb*ft)	409,608	50,978			
Check bending strength	OKAY	OKAY			
Shear Strength, V^u.d = φVⁿ.n (lb)	142,800	20,400			
Check shear strength	OKAY	OKAY			
Deflection Design (Valid for simple spans only)					
f_r, modulus of rupture (psi)	375	375			
I_g, Gross moment of inertia (in⁴)	96,768	13,824			
y_t, distance from N.A. to tension face	12.00	12.00			
M_{cr}, Cracking Moment (lb*ft)	252,000	36,000			
M_{max}, Service Moment	225,540	18,583			
E_s, Elastic Mod. Of Steel (psi)	29,000,000	29,000,000			
E_c, Elastic Mod. Of concrete (psi)	2,850,000	2,850,000			
n = E_s/E_c	10.2	10.2			
c = d[(np*(np+2))^{1/2}-np]	4.82	3.51			
I_{cr}, Cracked moment of inertia (in⁴)	17,954	1,390			
I_e, Effective moment of inertia (in⁴)	96,768	13,824			
Δ, immediate due to live load (in)	0.018	0.004			
Span / deflection	8161	22407			
Check live deflection	OKAY	OKAY			
Δ, long term from dead load (in)	0.000	0.000			
Δ, lg. term from sustained live ld. (in)	0.009	0.002			
Δ, instantaneous live load (in)	0.014	0.003			
Δ, after attachment of non-structural elements (in.) = Rows 95+96+97	0.023	0.005			
Span / deflection	6135	16746			
Check live deflection	OKAY	OKAY			

TAN BLDG 607A

FLOOR ANALYSIS - SUB-AREA 7

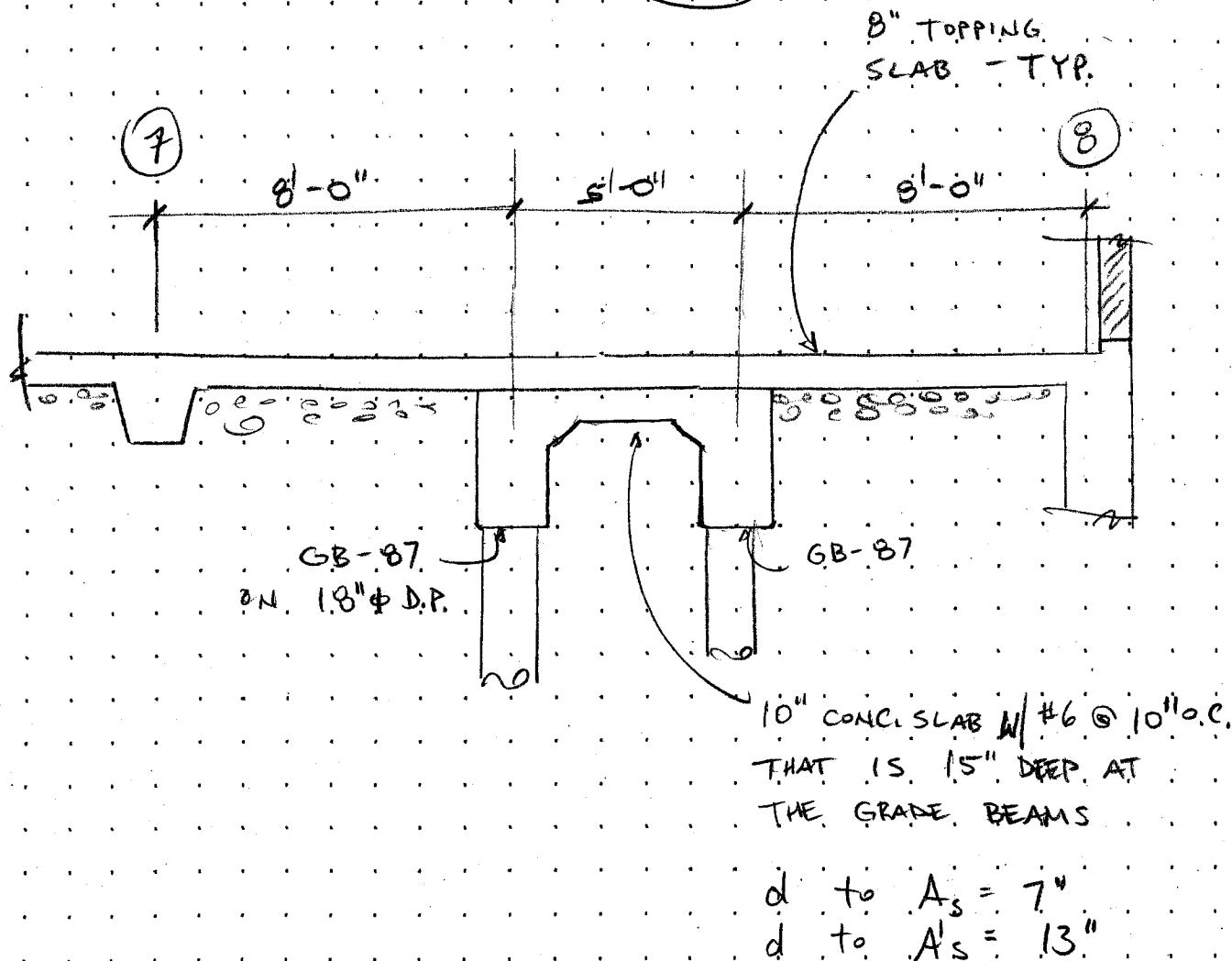
TROY

3/4/04

SUB-AREA (7)

REF.

$\frac{E}{S.I.I.S.}$



* CAPACITY = 500 PSF (SIM. TO SUB-AREA (1))
LIVE LOAD

* EXCEPT AT THE TRACKS WHERE
AN 1895 PSF SUPERIMPOSED
LIVE LOAD IS ALLOWED

C.I.P. Concrete Beam or Slab Analysis - Determine max. superimposed (live) load allowed

Beam Label	Typical 15" slab	86	87	None	None
Depth of Beam (in) h	10	35	35	0	0
Depth to Reinf. (in) d	7	31	31	0	0
Width of Beam (in) b	10	20	20	0	0
Slab Section or Beam Size	10 x 10	20 x 35	20 x 35	0 x 0	0 x 0
Design Criteria					
Δ limit due to Long-Term Loads (L /) applied after non-structural elements are attached	360 480	360 480	360 480	360 480	360 480
% of live load that is long-term	20%	20%	20%	20%	20%
% of live load that is not long-term	80%	80%	80%	80%	80%
$\lambda = \xi / (1 + 50\rho')$, $\xi = 2.0$ for long-term load	1.52	2.00	2.00	2.00	2.00
Concrete unit weight (pcf)	150	150	150	150	150
Floor Uniform Dead Load (psf)	100	288	288	0	0
Floor Uniform Live Load (psf)	2335	1990	1895	0	0
Floor Beam Linear Dead Load (plf)	104.17	729.17	729.17	0.00	0.00

Analysis, ref. ACI 318-99, sections 8.7 (span length), 8.3 (methods of analysis), and 11.1.3.1

Span (Ctr to Ctr of Supports) (ft)	5	10.33	9.5	0	0
Width of Supports (in)	20	18	18	0	0
Analyze Ctr-Ctr(0) or Ctr Span(1)	1	1	1	0	0
Effective Span (ft)	3.33333333	8.83	8	0	0
Tributary width (ft)	0.83	5.00	5.00	0.00	0.00
Include beam wt? No(0)/Yes(1)	1	1	1	0	0
Uniform Dead Load (plf)	187.47	2169.17	2169.17	0.00	0.00
Uniform Live Load (plf)	1945.06	9950.00	9475.00	0.00	0.00
$U = 1.4D + 1.7L$ (plf)	3569	19952	19144	0	0
V_u (lb), $1.15\omega_u l_n / 2$	6,841	101,300	88,064	0	0
V_u (lb), $\omega_u l_n / 2$	5,948	88,087	76,577	0	0
V_u (lb), $\omega_u l_n / 2 - d\omega_u$	3,866	36,545	27,121	0	0
Choose V_u	5,948	88,087	88,064	0	0
$M^+ u$ (lb.ft), $\omega_u l_n^2 / 8$	4,957	194,453	153,155	0	0
$M^+ u$ (lb.ft), $\omega_u l_n^2 / 11$	3,605	141,420	111,385	0	0
$M^+ u$ (lb.ft), $\omega_u l_n^2 / 14$	2,833	111,116	87,517	0	0
$M^+ u$ (lb.ft), $\omega_u l_n^2 / 16$	2,479	97,226	76,577	0	0
Choose $M^+ u$	2,479	97,226	111,385	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 9$	4,406	172,847	136,137	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 10$	3,966	155,562	122,524	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 11$	3,605	141,420	111,385	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 12$	3,305	129,635	102,103	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 16$	2,479	97,226	76,577	0	0
$M^- u$ (lb.ft), $\omega_u l_n^2 / 24$	1,652	64,818	51,052	0	0
	0	0	0	0	0
Choose $M^- u$	3,605	141,420	136,137	0	0

Strength Design	15" slab	86	87	None	None
Flexural Steel Bars (Bottom)	(1) #6				
Flexural Steel Area (in ²), A _s	0.44				
Shear Steel Bars	None				
Shear Steel Area (in ²), A _v	0.00				
spacing of shear steel (in), s	999				
Flexural Steel Bars (Top)	(1) #6				
Flexural Steel Area (in ²), A' _s	0.44				
Concrete Strength (psi), f' _c	2500				
Flexural Steel (psi), f _y	40000				
Shear Steel (psi), f _y	40000				
Depth of top comp. block (in), a	0.83				
ρ	0.00629				
ρ _{min}	0.00500				
Min. reinf. Check	OK				
β ₁	0.85				
ρ _{max} = 0.75*ρ _{balanced}	0.02320				
Max. reinf. Check	OK				
Depth of bottom comp. block (in), a	0.83				
ρ' (manual check min. & max.)	0.00629				
φ _b	0.9				
φ _v	0.85				
Bending Strength, M ^{+.d} = φM ^{+.n} (lb*ft)	8,693				
Check bending strength	OKAY				
Bending Strength, M ^{-.d} = φM ^{-.n} (lb*ft)	8,693				
Check bending strength	OKAY				
Shear Strength, V ^{.d} = φV ^{.n} (lb)	5,950				
Check shear strength	OKAY				
Deflection Design (Valid for simple spans only)					
f _r , modulus of rupture (psi)	375				
I _g , Gross moment of inertia (in ⁴)	833				
y _t , distance from N.A. to tension face	5.00				
M _{cr} , Cracking Moment (lb*ft)	5,208				
M _{max} , Service Moment	2,962				
E _s , Elastic Mod. Of Steel (psi)	29,000,000				
E _c , Elastic Mod. Of concrete (psi)	2,850,000				
n = E _s /E _c	10.2				
c = d[(np*(np+2)) ^{1/2} -np]	2.10				
I _{cr} , Cracked moment of inertia (in ⁴)	138				
I _e , Effective moment of inertia (in ⁴)	833				
Δ, immediate due to live load (in)	0.002				
Span / deflection	17583				
Check live deflection	OKAY				
Δ, long term from dead load (in)	0.000				
Δ, lg. term from sustained live ld. (in)	0.001				
Δ, instantaneous live load (in)	0.002				
Δ, after attachment of non-structural elements (in.) = Rows 95+96+97	0.003				
Span / deflection	12839				
Check live deflection	OKAY				



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Clarification Item #1

Date: June 8, 2004

Project: Idaho National Labs
TAN Bldg. 607A
Transporter & Tank Support
Idaho Falls, Idaho

To: Jeff Towers
Portage Environmental
1075 South Utah St., Ste 200
Idaho Falls, ID 83402

From: Troy Leistiko, P.E.

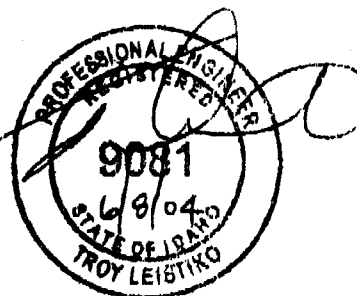
Re: Wood Confinement Plate

Reference our previous letter dated April 30th, 2004.

Item 1: In order to provide a bolted connection embedded less than 2-inches into the existing concrete floor, the wood confinement plates shall be fastened to the concrete floor with 3/8-inch diameter 'Hilti' Kwik Bolts as described on the attached DETAIL A and DETAIL B.

END OF CLARIFICATION ITEM #1

Attachments: DETAIL A, DETAIL B

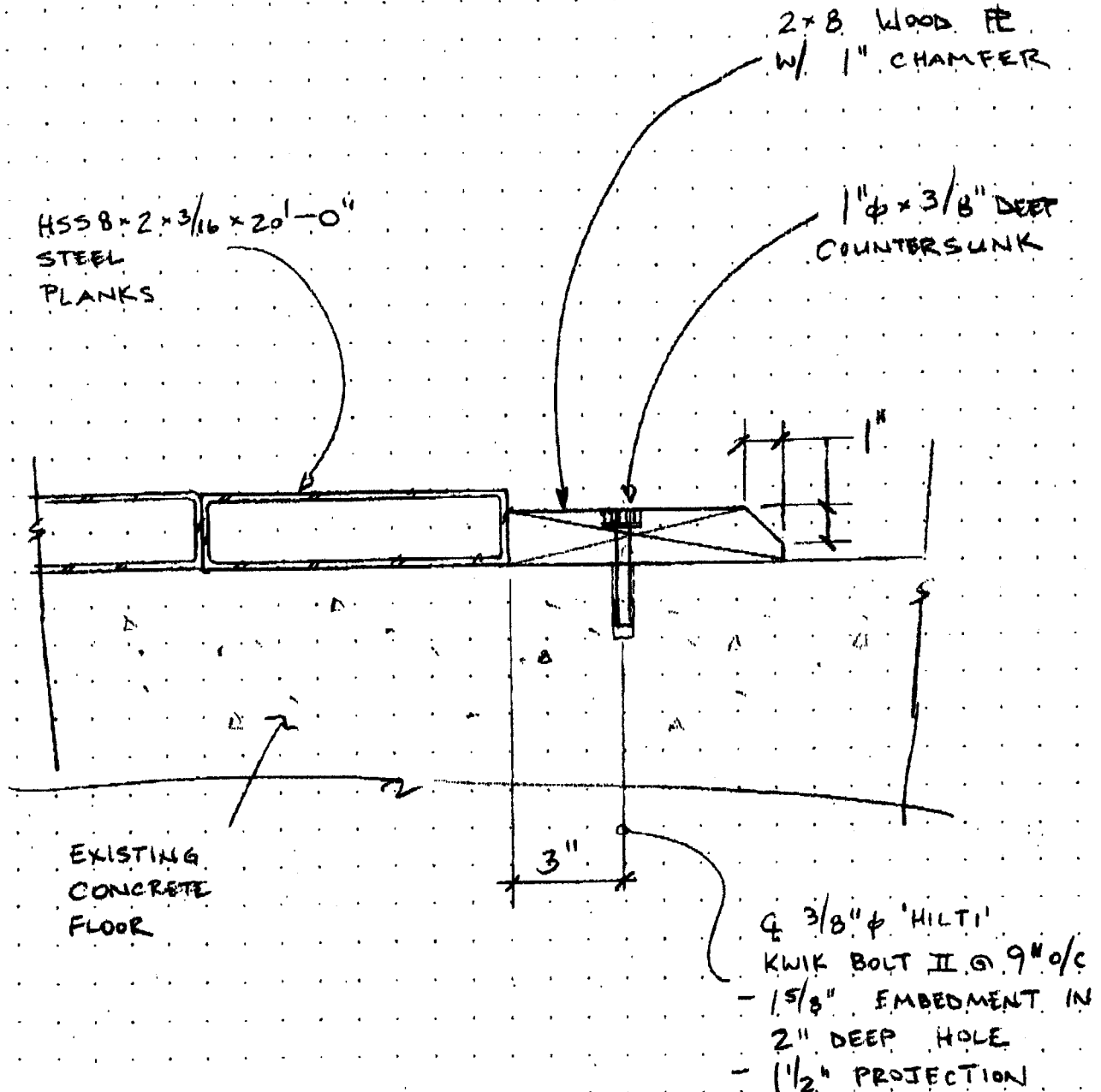


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TAN BLDG. 607A
TRANSPORTER + TANK SUPPORT
CLARIFICATION ITEM #1

DATE: 6/8/04

DESIGN BY: TROY



WOOD CONFINEMENT PLATE

SCALE: 3" = 1' - 0"

Eclipse Engineering, Inc.

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TAN BLDG. 607A

TRANSPORTER + TANK SUPPORT

CLARIFICATION ITEM #1

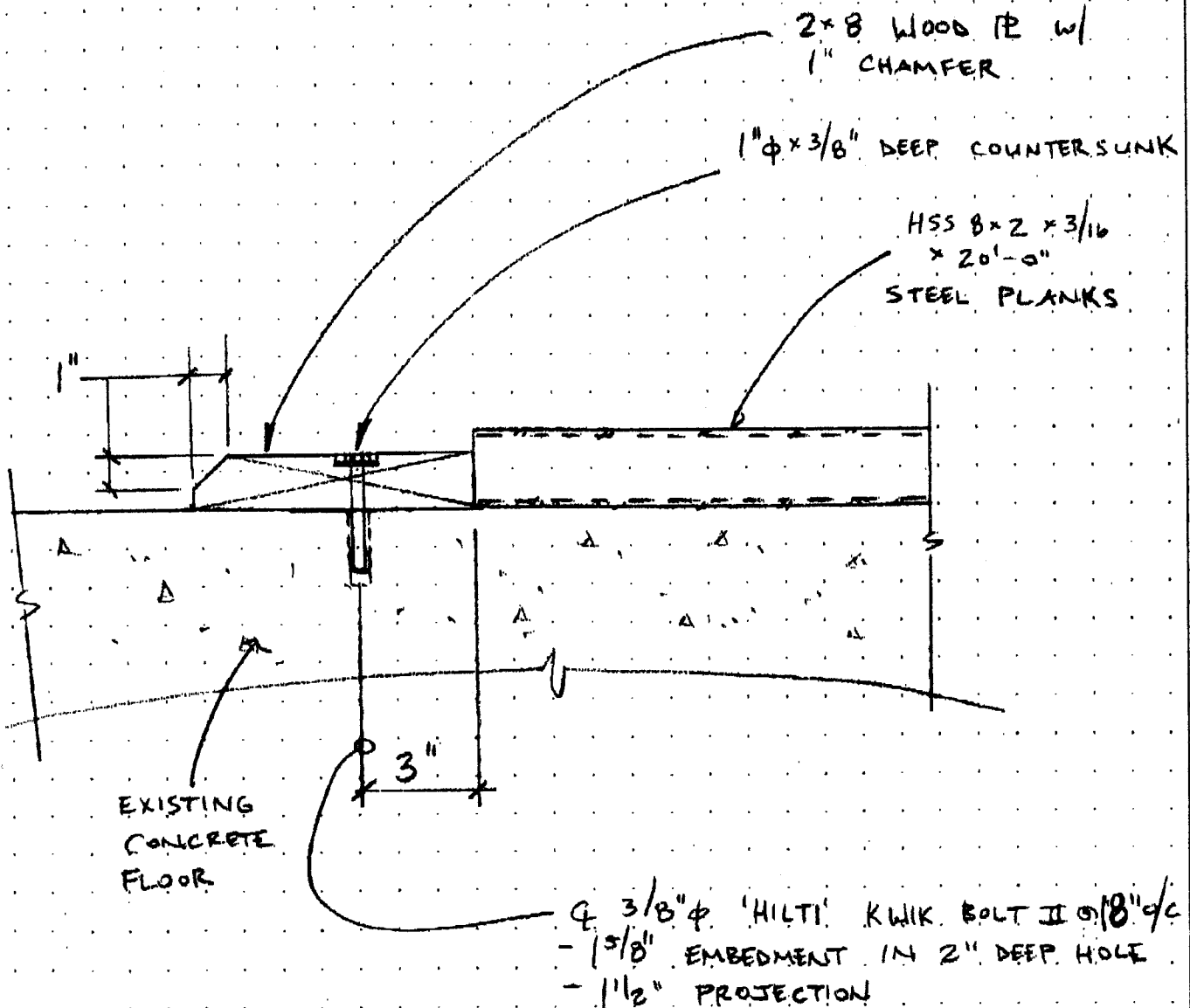
DATE: 6/8/04

TROY

DESIGN BY:

2

2



B

WOOD CONFINEMENT PLATE

SCALE: 3" = 1' - 0"

Attachment 2

Drawing No. P-FFA/CO-PM2A-003

